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# Self-optimizing control for hydrogen optimization in a diesel hydrodesulfurization plant

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# Abstract

The aim of this work is to apply the self-optimizing control technique (Skogestad, 2000) in order to ascertain the plantwide control structure for a hydrodesulfurization HDS plant of a petroleum refinery with regards to hydrogen consumption optimization. The resulting control structure for the HDS plant is simple, robust to uncertainty, easy to implement (feedback control) and assures the global optimum in most cases, although an upper RTO layer will be needed to guarantee the operation in the adequate region, with non frequent updates. Only in one uncommon scenario a trade-off arises regarding the unconstrained degrees of freedom, and self-optimizing control variables must be looked for. Potential application to global refinery  $H_2$  network is also discussed.

Keywords: self-optimizing control, hydrogen optimization, hydrodesulfurization plant.

## **1. Introduction**

Hydrogen is an expensive utility used in many operations that is gaining increasing importance in the economic balance of a refinery. In this framework, a project oriented towards the optimal management of the real-time operation of a refinery  $H_2$  network is being undertaken in collaboration with the Petronor refinery (Vizcaya, Spain) of the Repsol group (Sarabia et al., 2009), in order to minimize  $H_2$  production costs.

 $H_2$  is distributed by means of a network from the producer plants to the consumer plants. Make-up  $H_2$  to each consumer plant can be provided from different production lines, corresponding to different producer plants as well as consumer plants outlets. Accumulation of  $H_2$  is not possible; as a deficit of  $H_2$  is very damaging for catalyst active life, being catalysts very expensive, then always  $H_2$  production must exceed consumption in operation. Because  $H_2$  is expensive to produce, minimization of  $H_2$ production has a great potential for economic profit. Furthermore, in scenarios where  $H_2$ production is bottleneck for the refinery fuel processing capacity, the potential for profit increase is even higher. Minimization of  $H_2$  production cost is mainly achieved by means of: a) a better  $H_2$  redistribution at the network scale, trying to reuse as much as possible the low purity  $H_2$  from the consumer plants outlets; b) minimization of losses to fuel gas, as a consequence of a better fitting of  $H_2$  production to  $H_2$  consumption in operation, while guaranteeing certain excess for pressure control purposes.

Determining a good plantwide control structure, in this case for an  $H_2$  consumer diesel hydrodesulfurization HDS plant, is an issue of great practical importance to achieve optimal operation. Skogestad's procedure looks for a control strategy which can be

implemented in practice in a robust and simple manner. In the first place, active constraints are controlled, and then, for the remaining unconstrained economic degrees of freedom, self-optimizing variables are looked for. Self-optimizing control (Skogestad, 2000) is when close-to-optimal economic operation is obtained with a constant set-point policy. In this way it is avoided, or at least reduced, the need for an upper optimization RTO layer, being feedback control still the easiest way to implement a control strategy in industrial practice (Skogestad, 2004). Self-optimizing control design has been applied successfully to many processes (e.g. Araujo, Govatsmark and Skogestad, 2007; Lid and Skogestad, 2008).

## 2. Hydrodesulfurization plant description



Figure 1. General H<sub>2</sub> consumer plant structure, with membranes unit for H<sub>2</sub> recovery.

A process flow diagram for the HDS plant is shown in Fig.1. Desulfurization reactions take place in fixed bed catalytic reactors ( $\Delta R$ ) where a minimum ratio H<sub>2</sub>/hydrocarbon must be ensured for catalyst maintenance reasons. Reactors are fed with a blend of fuels of different qualities. The hydrocarbon (HC) feed is mixed with the recycled H<sub>2</sub> stream (*R*) and with make-up H<sub>2</sub> from the network. Two make-up streams (*H*4, *H*3) correspond to high purity inlets from producer plants, while the other (*LPM*) corresponds to the low purity line constituted from other plants outlets and excess. After being separated in a high pressure separation drum (*HPsep*), non reacted H<sub>2</sub> is partially purged and burnt as fuel gas (*FG<sub>Z</sub>*, *FG<sub>HP</sub>*). Downstream of *HPsep*, several distillation columns at low pressure (*LPoper*) enable the complete separation of light gases from the desulfurized diesel stream. Light gases from low pressure separation processes (*LPoper*) are directed to fuel gas (*FG<sub>LP</sub>*), since H<sub>2</sub> purity is not high enough for its recovery to be profitable. A HDS plant simplified model is available from previous work (Sayalero et al., 2010).

#### 3. Self-optimizing control structure

The systematic procedure for plantwide control (Skogestad, 2004) will be applied to determine the self-optimizing control structure, following the steps in the top-down economic steady-state analysis.

#### 3.1. Degrees of freedom analysis

A total of 5 degrees of freedom are available for economic optimization based on the process model. The following are natural manipulated variables (*u*) in operation: H<sub>2</sub> make-up flow rates from production plants  $F_{H3}$ ,  $F_{H4}$ , membranes inlet flow rate  $F_{IN,Z}$ , membranes purge ratioed to the inlet  $F_{FG_Z}/F_{IN,Z}$ , purge to fuel gas from the high pressure recycle  $F_{FG_HP}$ . Other process variables are not truly degrees of freedom regarding H<sub>2</sub> optimization; that is the case for: a) pressure in separators, controlled at a fixed value according to compression ratios and security valves design; b) temperature in separators, regulated at minimum possible value by means of air exchangers, thus enabling the best relative separation of H<sub>2</sub> from light ends; c) quench flows between beds in the catalytic reactors, whose purpose is to maintain proper temperature gradients and to avoid high temperatures; d) reactor inlet temperature, which will always be active constraint at the minimum value enabling to achieve the sulfur specification in product.

#### 3.2. Definition of optimal operation: cost and constraints

Only H<sub>2</sub> material cost is considered, as energy cost is in general an order of magnitude lower. Due to H<sub>2</sub> recycle flow being much greater than H<sub>2</sub> make-up flow, the H<sub>2</sub>/hydrocarbon minimum ratio constraint ( $F_{H2}/F_{HC} > \min$ ) at reactor inlet is attained by means of recycle compressor's capacity (at minimum feasible, to minimize energy cost), and is thus decoupled from the H<sub>2</sub> optimization problem. Membranes operating costs can be disregarded as only low pressure steam is needed. Fuel gas value of purge streams is not considered ( $p_{fuel}$ ) as this term will compete with minimization of the LPM make-up H<sub>2</sub> flowrate, being LPM H<sub>2</sub> price already a fictitious one. As a consequence, only make-up H<sub>2</sub> cost will be considered:

$$\min_{u} J = p_{H4} \cdot F_{H4} + p_{H3} \cdot F_{H3} + p_{LPM} \cdot F_{LPM}$$
(Eqn. 1.)

Constraints to fulfill are the following: a) recycle H<sub>2</sub> purity between minimum to prevent deposition of coke over catalyst particles ensuring enough H<sub>2</sub> excess, and maximum to avoid surge of centrifugal compressor: min  $< y_{REC} <$  max; b) membranes operating range: min  $< F_{FG_Z}/F_{IN_Z} <$  max, and membranes capacity: min  $< F_{IN_Z} <$  max; c) producer plants capacity and LPM availability: min  $< F_{H3} <$  max, min  $< F_{H4} <$  max, 0  $< F_{LPM} <$  max; d) compressors [reciprocating/centrifugal] capacity: min  $< F_C <$  max.

#### 3.3. Identification of important disturbances

Regarding the plant state, disturbances in hydrocarbon feed influence: gas separated in the low pressure operations  $F_{FG_LP}$ ,  $y_{FG_LP}$ <sup>H2</sup>, determined under pressure control according to inventory regulation; hydrogen consumption  $\Delta R_{H2}$  and light ends generation  $\Delta R_L$  in the reactor. Regarding different future scenarios, there are several disturbances that deserve being considered, namely: H<sub>2</sub> purity of certain make-up streams  $y_{LPM}$ <sup>H2</sup>,  $y_{H3}$ <sup>H2</sup>, and make-up availability from the low purity line  $F_{LPM}$ .

## 3.4. Regions of active constraints (modes of operation)

To identify the different regions of active constraints, optimization with respect to the available degrees of freedom is performed for the different operating points (19) selected corresponding to historical process conditions, for 6 case studies corresponding to different disturbances in utilities; in total 114 case studies. The model is implemented in EcosimPro<sup>®</sup> modelling and simulation environment and optimizations are performed with a NAG<sup>®</sup> SQP solver linked with EcosimPro<sup>®</sup>. In increasing order of H<sub>2</sub> requirements, the regions of active constraints are the following:

A. Recycle H<sub>2</sub> purity (y<sub>REC</sub><sup>H2</sup> = min) controlled with F<sub>IN\_Z</sub>. Manipulated variables active: F<sub>FG\_Z</sub>/F<sub>IN\_Z</sub> = min, F<sub>FG\_HP</sub> = 0, F<sub>H3</sub> = 0, F<sub>H4</sub> = 0.

The purge of H<sub>2</sub> is minimum ( $F_{FG_Z}/F_{IN_Z}$  = lower bound), and as a result both makeup H<sub>2</sub> flow and H<sub>2</sub> losses in the purge are also minimum.

- **B.** Recycle H<sub>2</sub> purity  $(y_{REC}^{H2} = \min)$  controlled with  $F_{FG_{-Z}}/F_{IN_{-Z}}$ . Manipulated variables active:  $F_{IN_{-Z}} = \max$ ,  $F_{FG_{-HP}} = 0$ ,  $F_{H3} = 0$ ,  $F_{H4} = 0$ . When H<sub>2</sub> requirements increase with respect to previous **A**, H<sub>2</sub> purge  $(F_{FG_{-Z}}/F_{IN_{-Z}})$  is not at the lower bound because the membranes capacity upper bound is reached. Higher purge implies higher permeate purity, but also higher make-up H<sub>2</sub> flow rate.
- C. Recycle H<sub>2</sub> purity  $(y_{REC}^{H2} = \min)$  controlled with  $F_{FG_{-HP}}$ . Manipulated variables active:  $F_{IN_{-}Z} = \max$ ,  $F_{FG_{-}Z}/F_{IN_{-}Z} = \max$ ,  $F_{H3} = 0$ ,  $F_{H4} = 0$ . When H<sub>2</sub> requirements increase with respect to **B**, and membranes are saturated.
- **D.** Trade-off between ratio purged in membranes and HPM H<sub>2</sub> make-up ( $F_{H4}$ ,  $F_{FG_Z}/F_{IN_Z}$ ). Recycle H<sub>2</sub> purity controlled ( $y_{REC}^{H2} = \min$ ). Manipulated variables active:  $F_{IN_Z} = \max$ ,  $F_{FG_HP} = 0$ ,  $F_{H3} = 0$ . Case rather infrequent. When make-up H<sub>2</sub> from a producer plant (HPM H<sub>2</sub>) is needed due to LPM H<sub>2</sub> shortage (small purity of 0.67 %1mol for example but not small  $F_{LPM}$  availability). The optimum is quite flat with respect to  $F_{FG_Z}/F_{IN_Z}$ , so a value can be fixed while using  $F_{H4}$  to control  $y_{REC}^{H2}$ , being  $F_{FG_Z}/F_{IN_Z} = 0.33$  the most common by far (self-optimizing variable). According to the experiments carried out, the optimal ratio varies between 0.27-0.36, so 600 Nm<sup>3</sup> H<sub>2</sub>/h is the difference for  $F_{IN_Z} = \max$ , and the maximum loss in HPM H<sub>2</sub> is 300 Nm<sup>3</sup>/h provided 0.33 is fixed. Cases B and D can be easily distinguished; if an increase in  $F_{LPM}$  (by allowing an increase in  $F_{FG_Z}/F_{IN_Z}$ ) does not lead to an increase in  $y_{REC}^{H2}$ . Then HPM H<sub>2</sub> will be needed. This occurs when  $y_{LPM}^{H2} < y_{REC}^{H2}$ . Direct purge  $F_{FG_HP}$  will be needed if membranes get saturated, besides HPM H<sub>2</sub>.
- E. When the maximum make-up compressor's capacity is binding constraint besides  $y_{REC}^{H2}$  ( $y_{REC}^{H2} = \min, F_{CI} = \max$ ), controlled with  $F_{FG\_HP}$  and  $F_{H4}$ . Manipulated variables active:  $F_{IN\_Z} = \max, F_{FG\_Z}/F_{IN\_Z} = \max, F_{H3} = 0$ . This situation is common in cases where  $y_{LPM}^{H2} > y_{REC}^{H2}$ , but only slightly greater. As

This situation is common in cases where  $y_{LPM}^{H2} > y_{REC}^{H2}$ , but only slightly greater. As a high flow  $F_{LPM}$  is needed, make-up compressor capacity gets saturated. As usual, membranes capacity is fully employed before HPM H<sub>2</sub> is used.

**F.** When the maximum LPM H<sub>2</sub> availability is active constraint, besides  $y_{REC}^{H2}$ ( $y_{REC}^{H2} = \min, F_{LPM} = \max$ ). Manipulated variables active: either  $F_{FG_{-Z}}/F_{IN_{-Z}} = \min$ ,  $F_{FG_{-HP}} = 0, F_{H4} = 0$  (control with  $F_{IN_{-Z}}, F_{H3}$ );  $F_{FG_{-Z}}/F_{IN_{-Z}} = \min, F_{FG_{-HP}} = 0, F_{H3} = 0$ (control with  $F_{IN_{-Z}}, F_{H4}$ );  $F_{IN_{-Z}} = \max, F_{FG_{-Z}}/F_{IN_{-Z}} = \min, F_{FG_{-HP}} = 0$  (control with  $F_{H3}, F_{H4}$ ); or  $F_{IN_{-Z}} = \max, F_{FG_{-HP}} = 0$ ,  $F_{H3} = 0$  (control with  $F_{FG_{-Z}}/F_{IN_{-Z}}, F_{H4}$ ). Both membranes and HPM H<sub>2</sub> make-up are needed. With increasing H<sub>2</sub> demand, first  $F_{IN_{-Z}}$  is manipulated, then  $F_{FG_{-Z}}/F_{IN_{-Z}}$ . Between the two HPM H<sub>2</sub>,  $F_{H3}$  and  $F_{H4}$ , which one is used depends mainly on their respective prices and purities (very constant), but also on plant state, although no trade-off arises. An upper RTO layer will be required to know whether to use  $F_{H3}$  or  $F_{H4}$ , with very low frequent updates.

## 4. Discussion

Self-optimizing control is a robust technique not sensitive to uncertainty when compared with RTO (Skogestad, 2000). As i) disturbances:  $H_2$  consumption, light gases inlet and generation, and gases solubility in hydrocarbons, are difficult to estimate accurately, and ii) gas flow measurements need to be compensated with molecular weight in operation, where the stream molecular weight is quite sensitive to light gases composition due to the low value of  $H_2$  molecular weight (2.016 g/mol), a self-optimizing control approach can be advantageous and preferred compared to RTO.

Other major advantage is that the self-optimizing approach considered is reliable regardless of model mismatch: although model validation is not perfect quantitatively (errors up to 10% in the prediction of H<sub>2</sub> consumption rate), the analysis performed regarding regions of active constraints is correct.

The resulting control structure for the HDS plant is simple, easy to implement (feedback control with programmed logic) and assures the global optimum in most cases, although an upper RTO layer will be needed to guarantee the operation in the adequate region, with non frequent updates. Only in one scenario, rather uncommon, a trade-off arises regarding the unconstrained degrees of freedom, and self-optimizing control variables must be looked for to assure close to optimal operation avoiding more complex on-line optimization techniques. Main drawbacks are related to plant automation level, which needs to be high to implement this technology; in particular the membranes unit can't be operated manually. Transport delay due to reactor and dynamic effects due to separators are not negligible, therefore a MPC approach with an economic objective function could be justified, especially when the high number of regions of active constraints is taken into account, due to its potential to easily handle constraints.

#### 4.1. Hydrogen optimal management at refinery network scale

A further step is being considered regarding the potential application of self-optimizing control design to on-line optimization of the global  $H_2$  network operation. Although the structure at network scale is much more complex, the number of combinations allowed is usually small. Considering where it is more efficient to employ HPM  $H_2$ , and looking for self-optimizing variables when needed, consumer plants optimization with regards to  $H_2$  consumption could be decoupled from the whole network, being the problem at network scale simplified, and thus reducing the loss between RTO executions.

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