

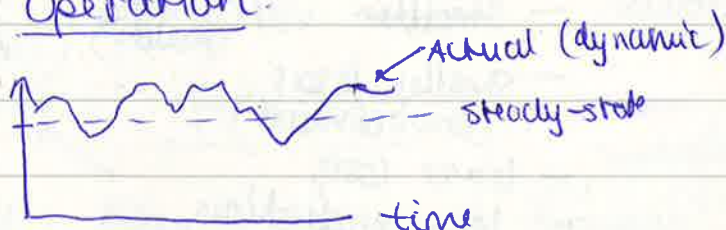
INTRODUCTION TO PROCESS CONTROL

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Why control?

Until now: Design of processes. Assume steady-state

Here: Operation.



Ⓢ In practice, never steady-state

- Feed changes
 - Startup/shutdown
 - Failures
- } "Disturbances" (d)

~~To minimize~~

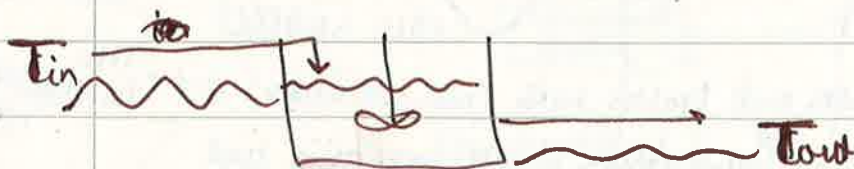
- Control is needed to reduce the effect of disturbances d 's
- 30% of investment costs are typically for instrumentation and control

Countermeasures disturbances (d 's)


I. Preventive measures

a) Detect and remove disturbances d 's
 ↳ "statistical process control" (SPC)

b) Design a process which is insensitive to disturbances d 's
 Example: Buffertank to dampen disturbances.



II. Process control ("Processregulering")

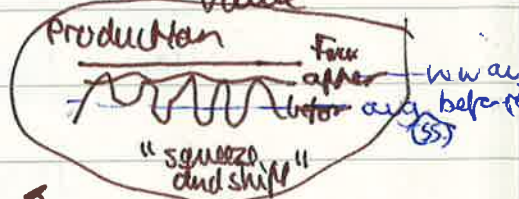
- ~~Counteract the~~ Do something (—  —) to counteract the effect of d's.

(a) Manual control : Used operator

(b) Automatic control : Computer + ^{measurements} ~~control~~ + ^{control} automatic valve

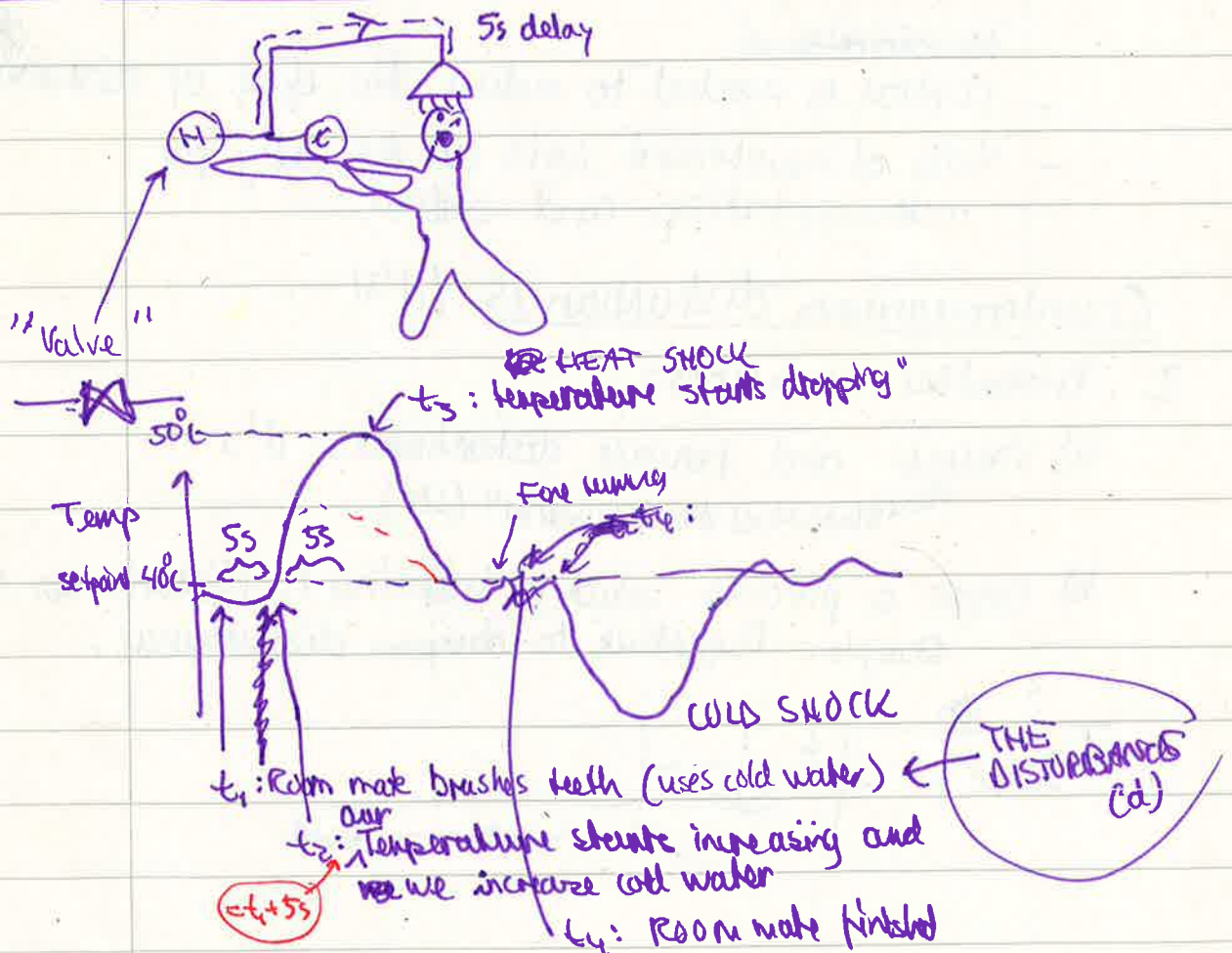
HERE

- Goals:
- smaller variations (quality)
 - smaller losses (environment)
 - lower costs
 - larger production



Industry: Still large potential for improvements !!

Example. Control of shower temperature



COUNTERMEASURES

- I) (a) Get rid of room mate (\$)
- (b) Get own water supply (\$)

II Improved control to get faster response

- Faster response
- ~~Shorter pipe~~ ^{is still not OK:} Smaller pipe (D smaller) with shorter delay.

Two fundamental control principles

1) Feedback: Measure the result (output y), ^{controlled variable CV} ~~temperature T~~ and adjust ~~manipulated variable~~ ^{the} manipulated variable (MV, input, ~~water~~) until the result is OK

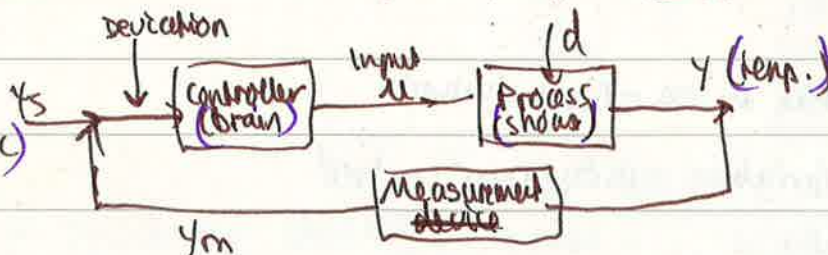
2) Feedforward: Measure the ~~disturbance~~ ^{cause} (disturbance, DV) and predict (model!) its effect on the result and based on a prediction (model!) of its effect, make a "forward" adjustment of the ^{MV} (input u) to (hopefully) counteract its effect on the result (output y)

Example: Room mate says: "I am tapping ^{cold} water" and you ~~reduce your cold~~ ^{increase your} cold water (by exactly the right amount)

BLOCK DIAGRAMS (information diagrams, signals (not flows))

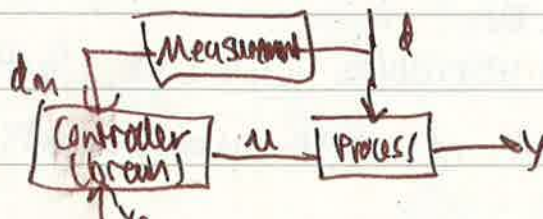
FEEDBACK

Desired value setpoint y_s (10°C)




Controller: "Large deviation gives large input change" (SIMPLE)

FEED FORWARD



Controller: Need to think carefully (NEED GOOD MODEL)

Feedback

- + self-correcting
- + Do not need good model (but must know sign)
- ∴ May give instability () if ~~you~~ controller overreacts
- ∴ Need ^{fast} measurement of the output (y_m) -

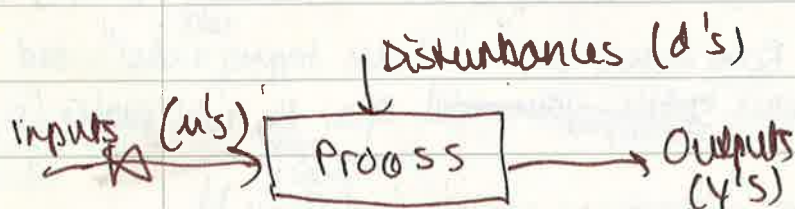
MAIN ENEMY OF FEEDBACK: TIME DELAY!

Feedforward

- + Good when ^{with large} ~~the process has~~ delays
- + React before the damage is done
- ∴ Need good model
- ∴ Sensitive to changes
- ∴ Need ~~info~~ ^{hints} only for known disturbances
- Usually combined with feedback



CLASSIFICATION OF VARIABLES



} Not always obvious!

Indep. variables

- (a) ~~Inputs (u's)~~
- MV's: variables we can adjust (values)

(b) DV's (d): Variables outside our control

Dependent variables

Depend on MV's and DV's.

(a) Primary controlled variables (CV's (x)). (with given setpoint y_s)

(b) Secondary outputs y' : extra measurements

Idea control system:

- Based on measurements (y_m, y_m', d_m)
- use the manipulated variables (u)
- to counteract the disturbances (d)
- such that the output is kept at its setpoint ($y \approx y_s$)

Controller: Algorithm for how this is done

Here: ~~the~~ Focus on the structure: Which variables?
(This is the most important!)

Example shower (continued)

Alt. 1. Pairing?

$$q_c \leftrightarrow T \quad (\text{use } q_c \text{ to keep } T \approx T_s)$$

$$q_H \leftrightarrow q$$

Alt. 2 (pairing?)

$$q_{Hc} \leftrightarrow T$$

$$q_c \leftrightarrow q$$

Alt. 3 "multivariable control"

$$q_c \leftrightarrow T_c$$

$$q_H \leftrightarrow T_H$$

Example: Modern "mixing hotkey":

$$q_H / q_c \leftrightarrow T$$

$$q_H + q_c \leftrightarrow q$$

MIV's (u's): q_c and q_H [m^3/s]

DV's (d's): T_c, T_H + undesirable changes in q_c and q_H (due to pressure variations)

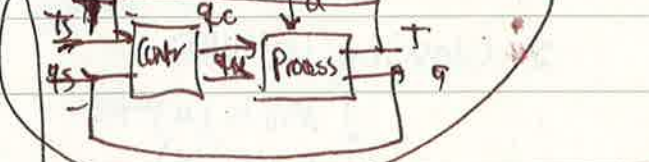
Primary Outputs (CV's):

T and q (total flow)

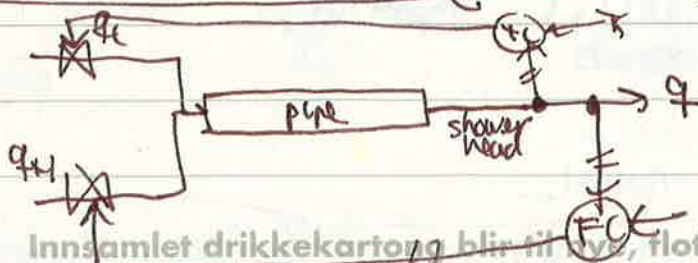
often called "pressure" of the flow

Control structure feedback

Block diagram shower (signals)



Process flow sheet for shower (streams ---, signals --- or #)



• ← meas. point.

(TC) = temperature controller

(FC) = flow controller

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TC

2nd. letter:

C: controller

I: indicator (~~only~~ measurement)

1st letter: What we are trying to keep constant

T: temperature

F: flow

L: level

C: composition

P: pressure

DP: ~~pressure~~ differential pressure (sp)

ank (1-1)

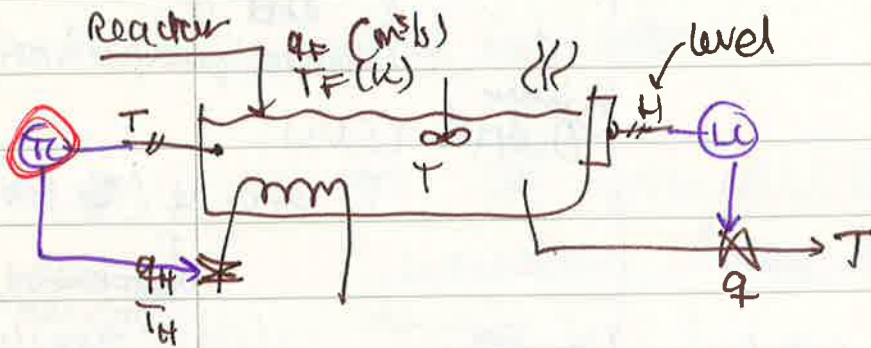
IN HERE: Procedure for design of control system

- 1. IN HERE: Example 2 (i) Problem statement (~~1-3~~)
- 2. time: ~~hardly~~ and 1. ank (1-3)

Example 2.

~~Buffer tank~~ with heating
Evaporator

ANK 1-3



- 1. Objective: keep level (H) ≈ konstant
keep temp. (T) ≈ konstant (Ts)

2. Classify variables

MV's (u) - ~~TH~~

DV's (d) - ~~TH~~

Outputs (Y) - ~~TH~~

Measurements - ~~TH~~

↑ here

~~qH, q~~
~~qH, TH~~ + TH ... (concentrate on important)

~~TH, H, T~~

2. time 2008

3. Process matrix

		Output
Input (MV)	q_H	T
	q	H
		T

obvious pairing

ANK 1-2



Lecture 3

Most common control structure: "Single-loop" control



Ruler for party is here

Other common ones:

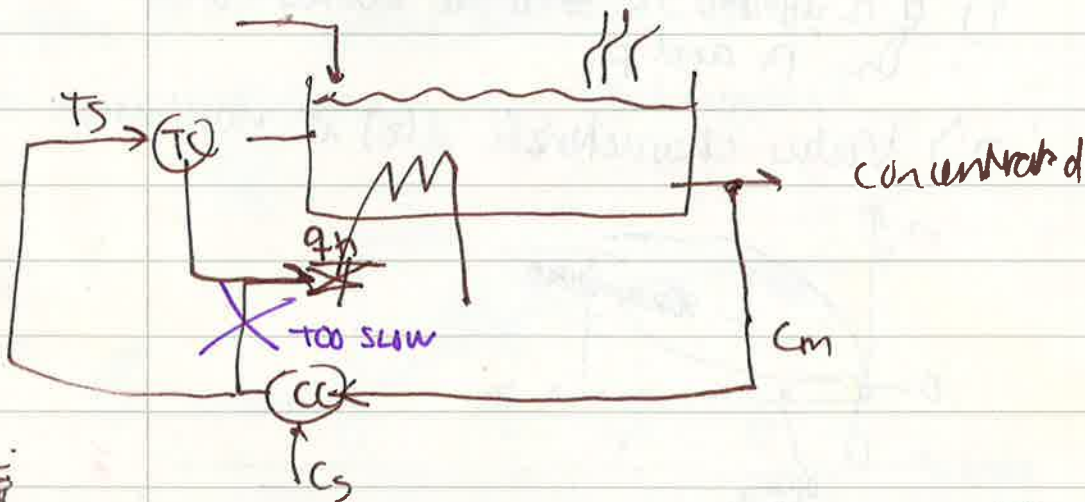
mv is setpoint for another controller

1. Cascade control: Used when we have extra measurements y_m'
2. Ratio control (special single case of feedforward)

Example 2 continues

- Primary objective: Control composition ($y=c$)
- but measurement delayed

- ~~use extra temperature measurement for indicator of c~~
- ~~use temperature in inner loop ($y'=T$)~~



"SLAVE LOOP"

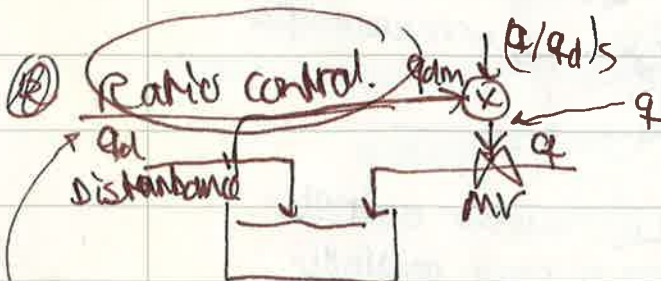
(A) Fast inner temperature loop that keep $T \approx T_s$ ($y' \approx y_s'$)

"MASTER LOOP"

(B) Slower outer loop that adjust setpoint in the inner loop:

$$CV = y \quad (c)$$

$$MV = y_s' \quad (T_s)$$



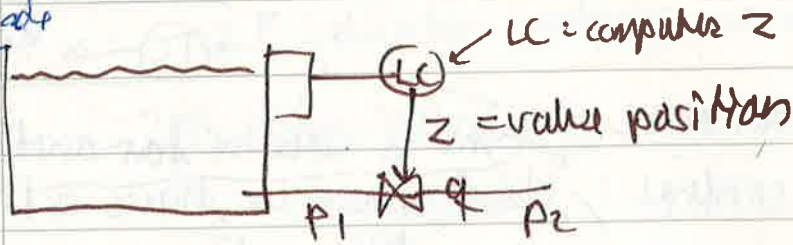
- Want the ratio q/q_d constant
- Have measurement of q_d
- \otimes : multiplication block
- Note: May adjust (q/q_d) in outer / slower outer feedback loop (cascade)

Most simple and best feedforward controller

Exercise in here! ← or maybe later

Cascade control is often used on valves (flow control)

Without cascade



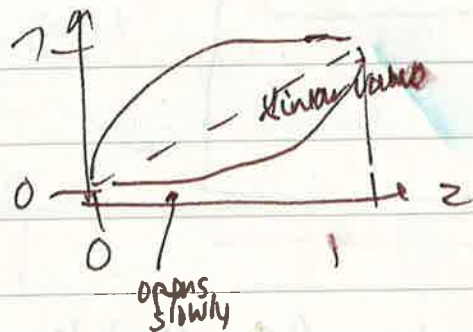
Actual flow

$$q = C_v f(z) \sqrt{P_1 - P_2}$$

↑
valve coefficient

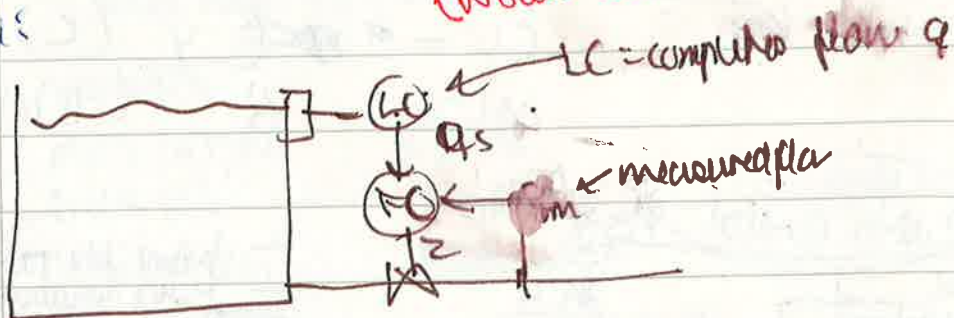
Problems

- 1) ~~q~~ changes when ~~p2~~ changes
- 2) q is affected by ~~changes~~ disturbances in P_1 and P_2
- 3) Valve characteristic $f(z)$ is nonlinear.



Solution! Introduce "inner" flow controller.
(Would also solve shower problem!!)

With cascade:



LC: master controller
FC: slave controller

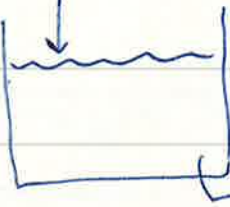
Process Dynamics

- "Things take time"
- Time constant τ [s]

Example

Concentration change in tank.

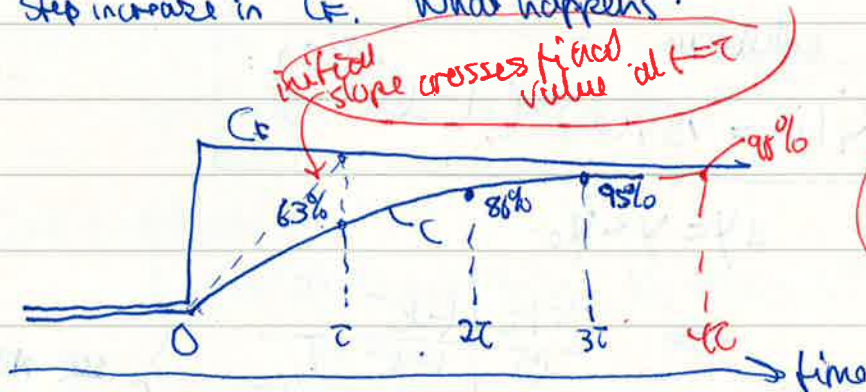
q_i [m³/s]
 C_{iF} [mol/m³]



$q \approx q_i$ (assume V [m³] const.)
 $C \neq C_{iF}$ dynamically

Initially ($t=0$): steady-state $\Rightarrow C = C_{iF}$

At $t=0$: Step increase in C_{iF} . What happens?



τ = time ~~where~~ ^{at} for 63% change

~~start~~

Derivation: Use balance equation
Material

$$\frac{d}{dt} (\text{Inventory}) = \text{In} - \text{Out}$$

Here: Component balance

$$\text{Inventory} = C \cdot V \quad [\text{mol}]$$

$$\text{In} = q \cdot C_{iF} \quad [\text{mol/s}]$$

$$\text{Out} = q \cdot C \quad [\text{mol/s}]$$

$$\frac{d}{dt}(C \cdot V) = q C_F - q \cdot C$$

constant volume

$$\frac{dC}{dt} = -\frac{q}{V} \cdot C + \frac{q}{V} \cdot C_F$$

Or standard form ~~for~~ 1st order system

$$\frac{dy}{dt} = -\frac{y}{\tau} + b$$

Here:

$$y = C$$

$$\tau = \frac{V}{q} \text{ (residence time)}$$

$$b = \frac{q}{V} \cdot C_F$$

General solution

$$\Delta Y(t) = \Delta Y(\infty) (1 - e^{-t/\tau})$$

$$\Delta Y = y - y_0$$

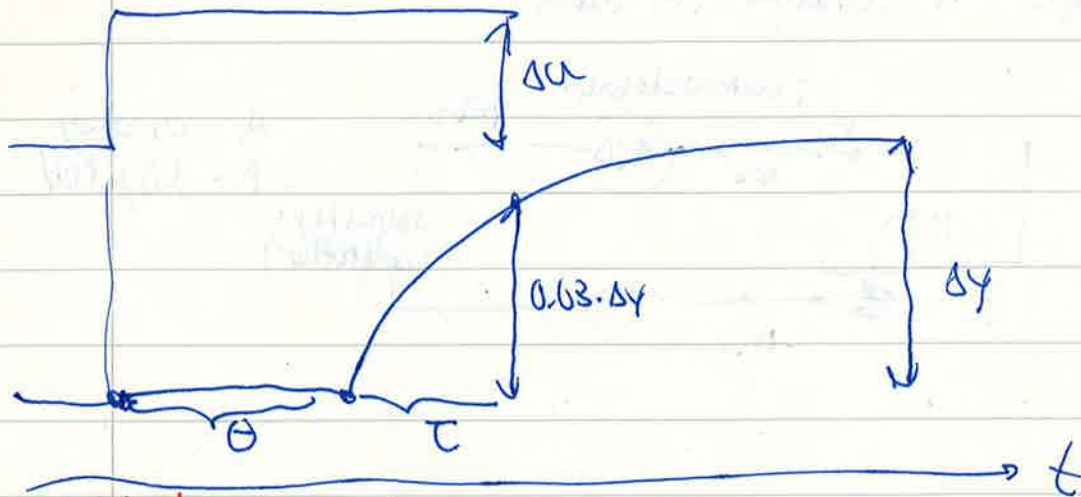
t/τ	$1 - e^{-t/\tau}$
0	$1 - e^0 = 1$
1	$1 - e^{-1} = 0.63$
2	$1 - e^{-2} = 0.86$
3	0.95
4	0.98

see Ark

End derivation

Other examples: Temperature response in tank

Summary step response



Three important parameters

1. Process gain:

$$k = \frac{\Delta y(\infty)}{\Delta u}$$

2. Process delay

θ = time until y "takes off" in right direction

3. Time constant

τ = Additional time to reach 63% of change

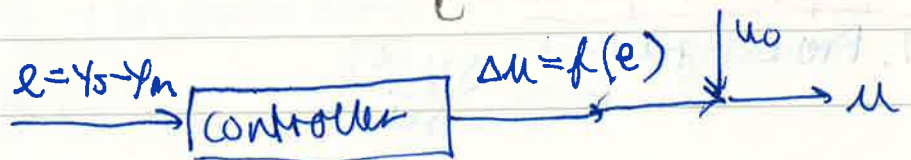
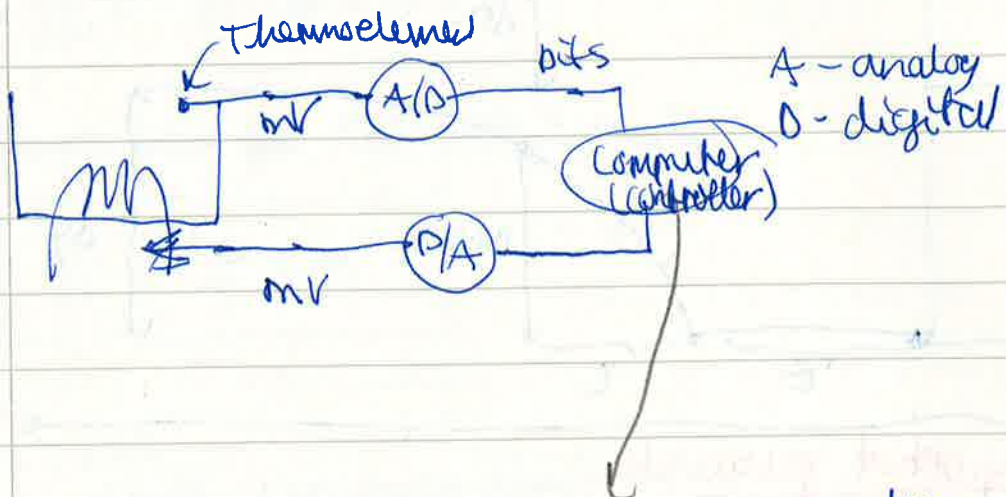
$$\Delta y(\theta + \tau) = 0,63 \cdot \Delta y(\infty)$$

For good control we want

1. k large ("sensitive")
2. τ ~~large~~ ^{small} ("responsive")
3. θ small ("direct effect")

The control loop

example T-control in tank



Simplest: Proportional control

$$u = \cancel{u_0} + K_c e$$

$$su = K_c \cdot e$$

PID control

$$su = K_c \left(e + \frac{1}{T_i} \int_0^t e dt + K_i T_D \frac{de}{dt} \right)$$

P
I
D

Three parameters

K_c - gain

T_i - integral time (start with large!)

T_D - der. time (usually 0)

See slides ~~STAT~~ for further