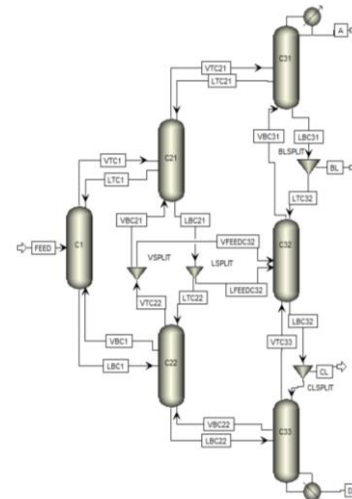
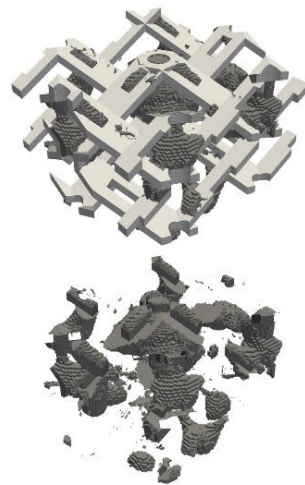


Impact of Number of Stages on Operational Flexibility of Vapor and Liquid Split Ratios



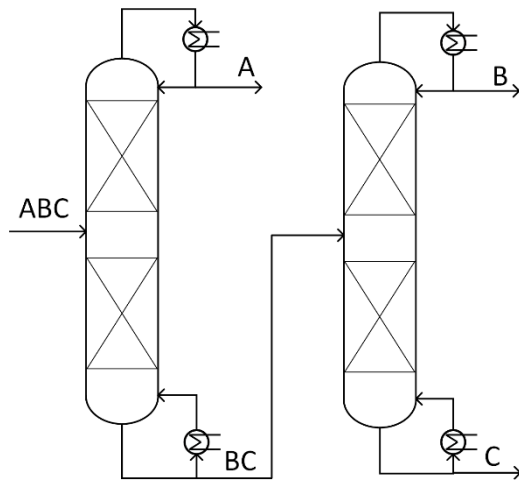
Dr.-Ing. Lena-Marie Ränger

Introduction

High energy consumption of distillation
(USA: 2.5 - 10 % of total energy used^{1, 2, 3})

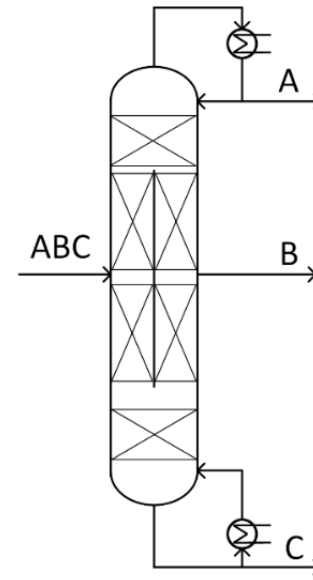
Potential for
savings

Column sequence

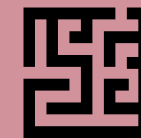


replace

Dividing wall column



- 30%



Increased
complexity

¹ J. L. Humphrey, G. E. Keller, Separation process technology, Chemical engineering books, McGraw Hill, New York 1997.

² Energy Information Administration, National Energy Information Center, Annual Energy Review 2001, Washington DC 2002.

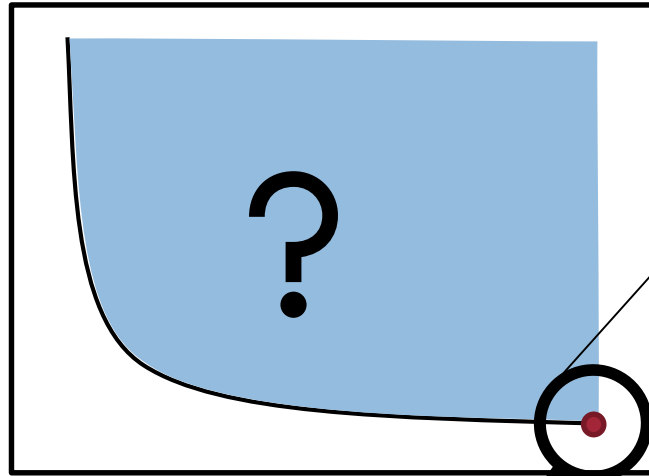
³ D. S. Sholl, R. P. Lively, Seven chemical separations to change the world, Nature, 2016.

Introduction

Optimize column design

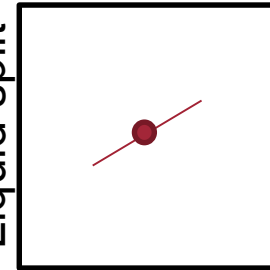


Energy demand

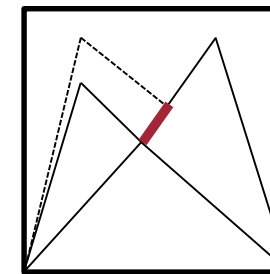


Number of stages

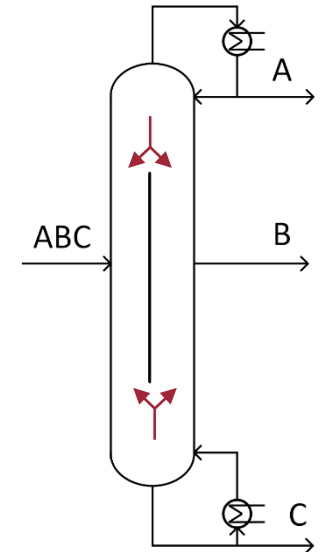
Liquid split



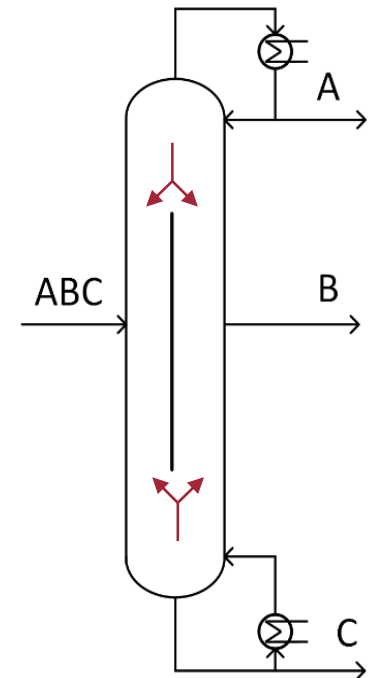
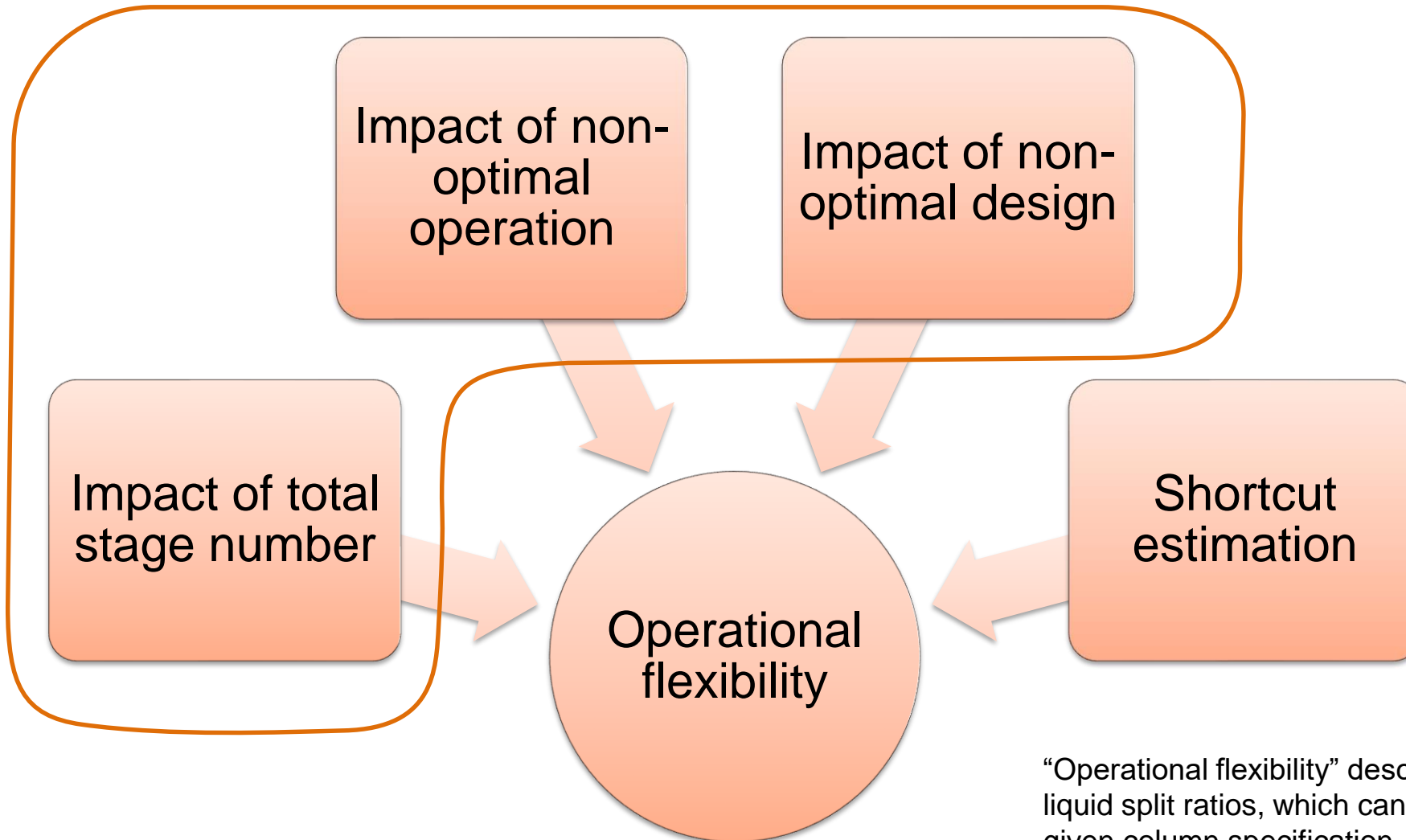
Vapor split



Optimality
region

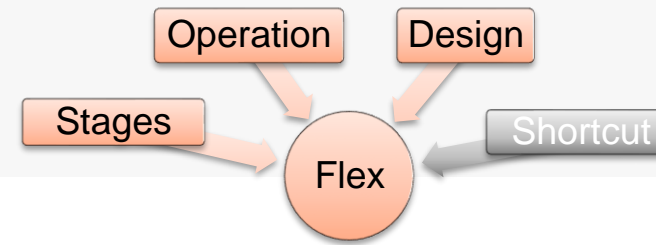


Content of presentation



“Operational flexibility” describes the possible range of vapor and liquid split ratios, which can be used to achieve a separation task for given column specification. Accordingly, this includes the optimality region, but also additional scenarios.

Methodology



How to determine flexibility of vapor and liquid split ratios

Optimization

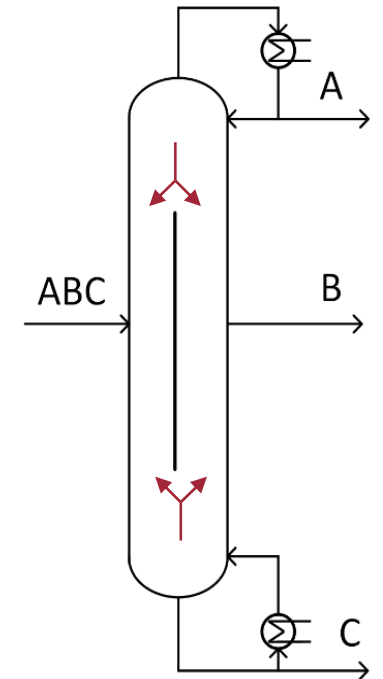
Find...

- optimal stage allocation
- minimum energy demand
- Pareto-optimal compromises
- Solving $\min(\Sigma N, Q)$

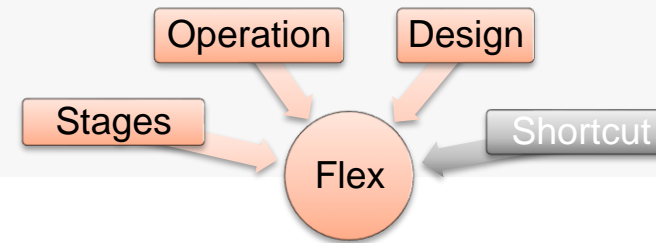
Screening

Determine...

- Product compositions for different vapor and liquid split ratios
- Filter according to desired purities
- Systematic screening of a grid of split ratios



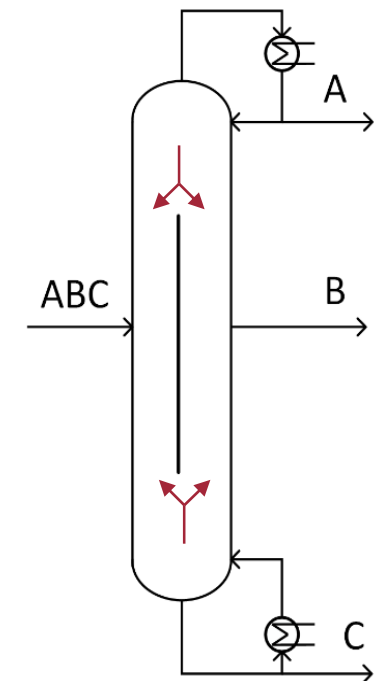
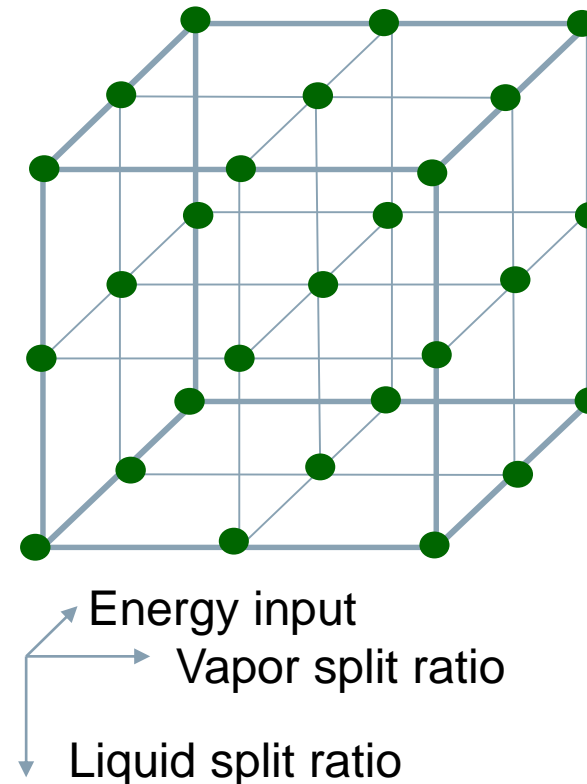
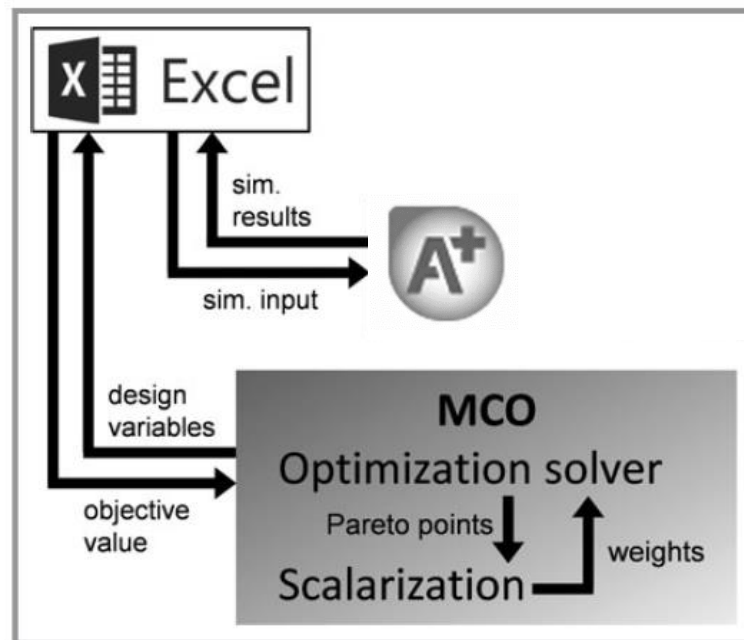
Methodology



How to determine flexibility of vapor and liquid split ratios

Optimization

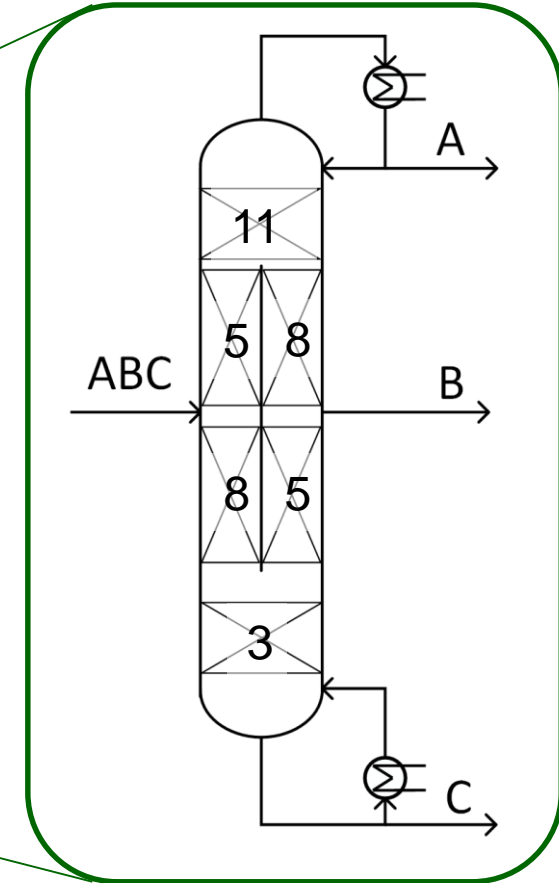
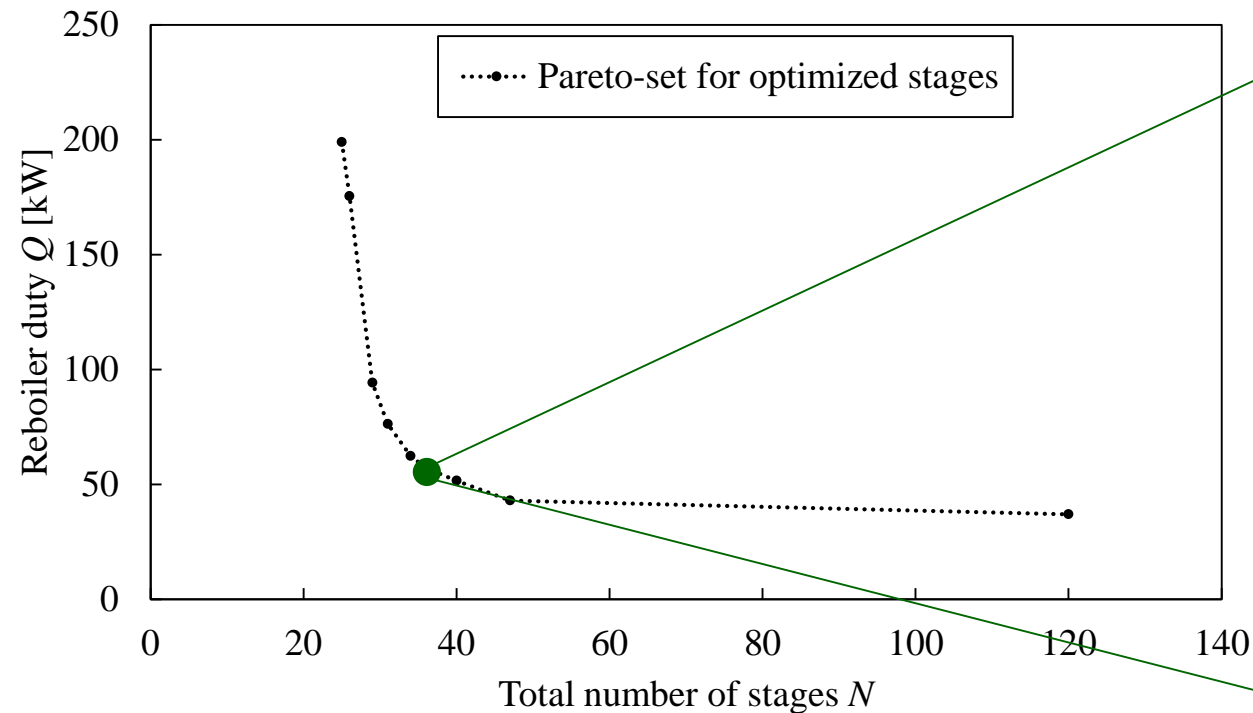
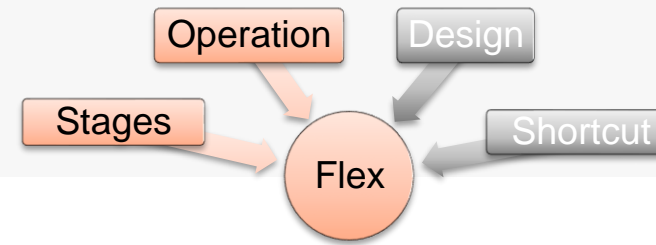
Screening



Mixture: Methanol, Ethanol, n-Butanol, equimolar, bubble point, 95 mol% product purities

Optimization

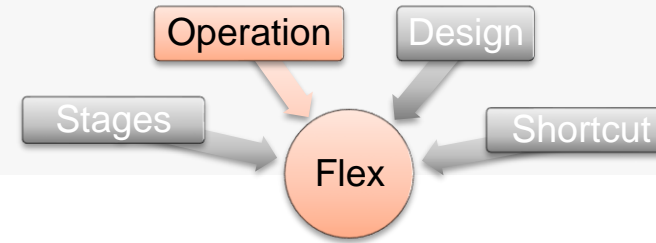
Screening



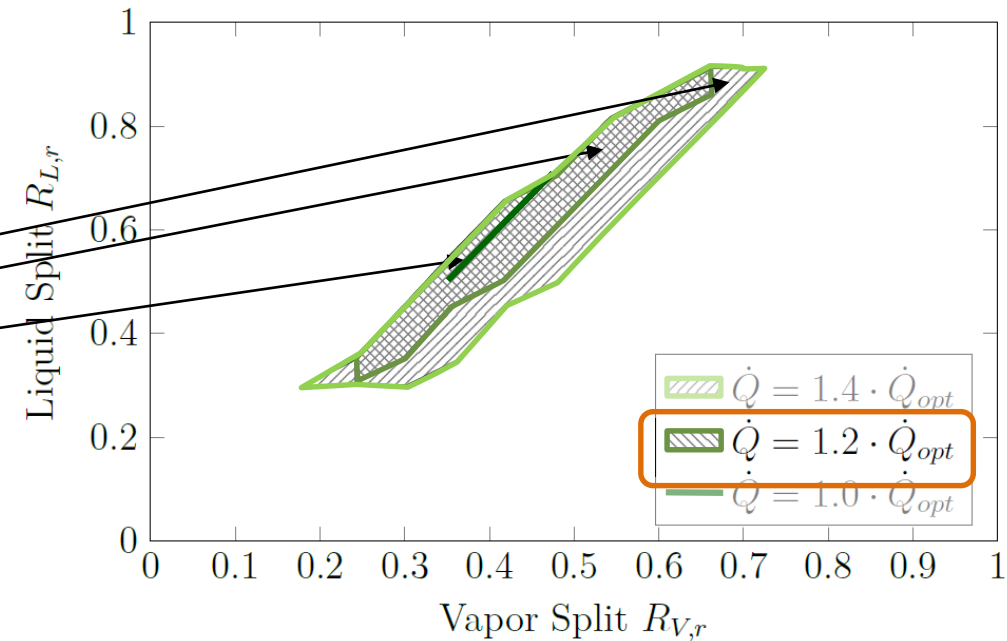
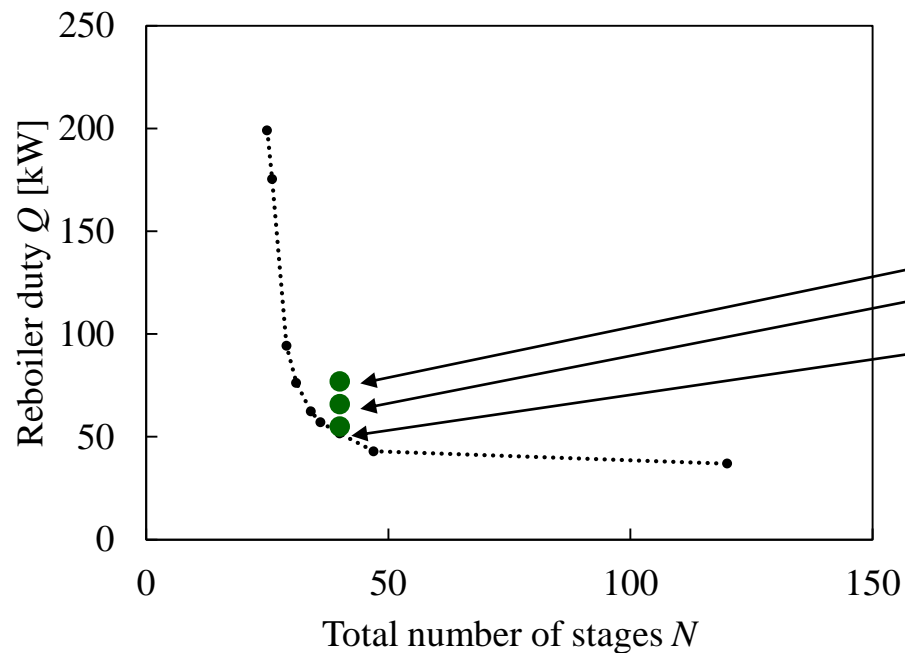
- Optimal stage allocation in the column sections is non-uniform

Optimization

Screening



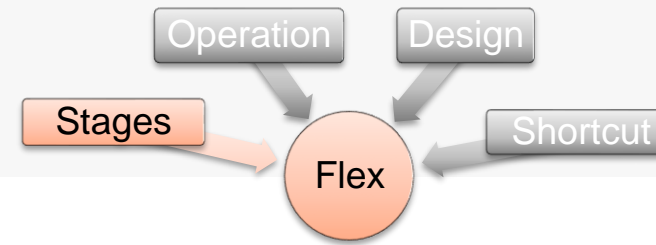
Impact of distance to energetic optimum: Flexibility at $N = 40$



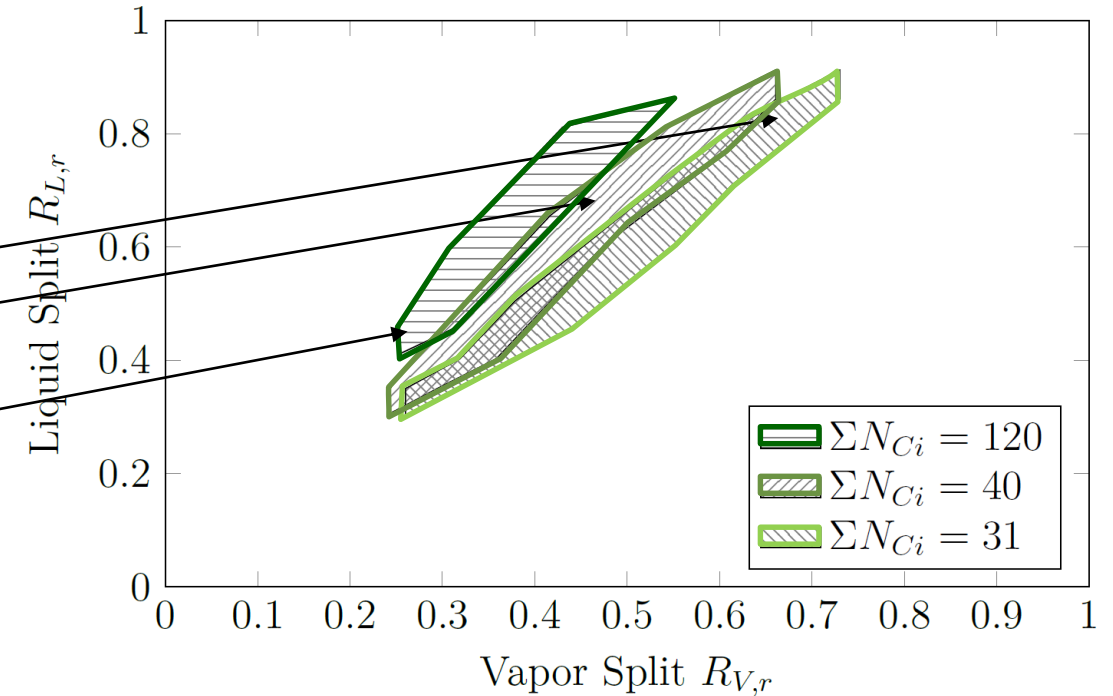
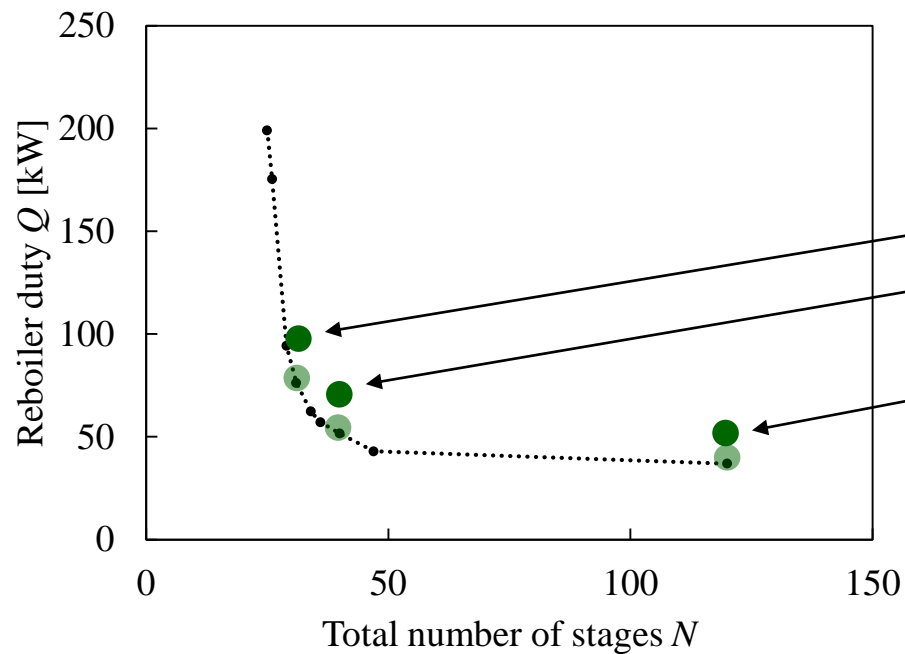
- Optimal energy input: Feasible combinations located on straight line
- More energy input (“close to Pareto-optimum”): Flexibility “field”

Optimization

Screening



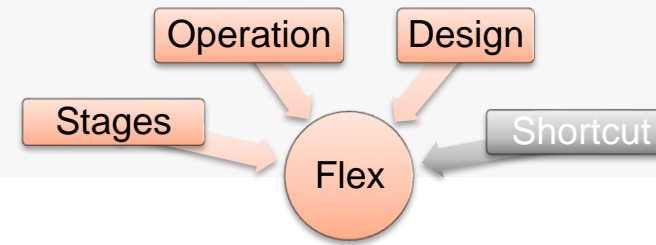
Impact of stage number: Flexibility at $Q = 1.2 Q_{min}$



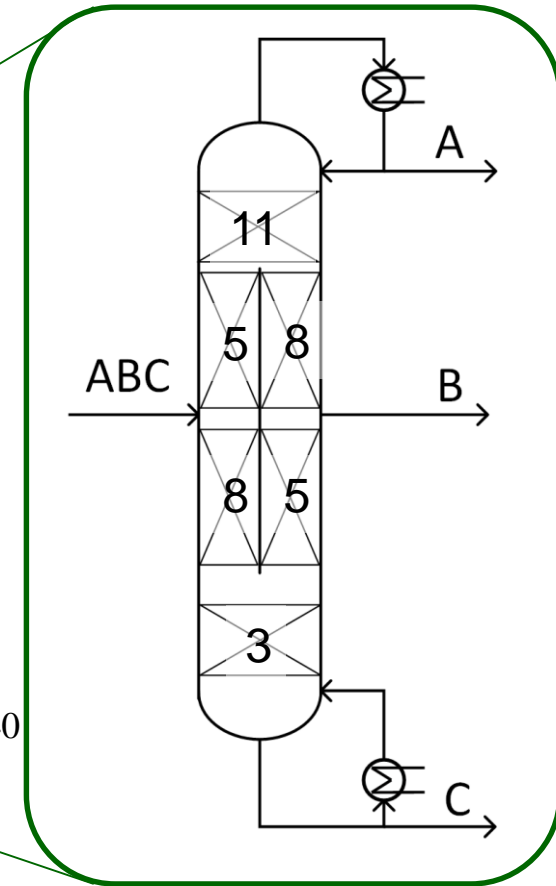
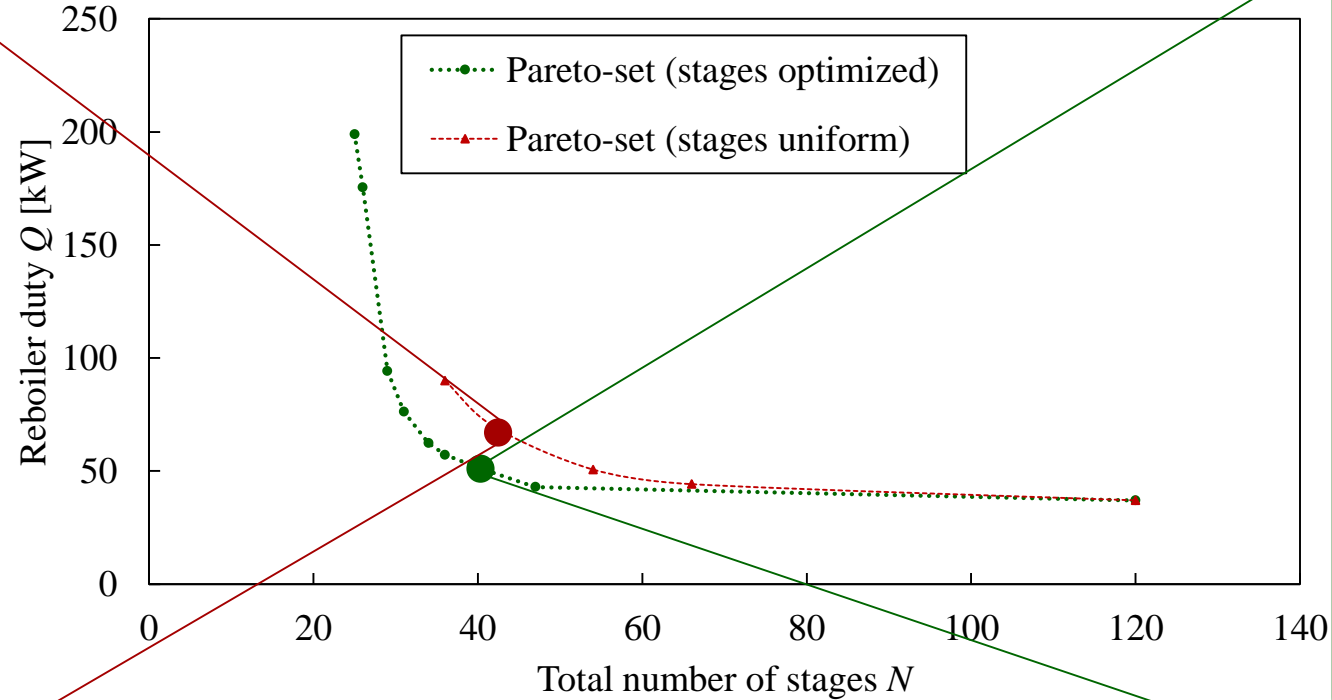
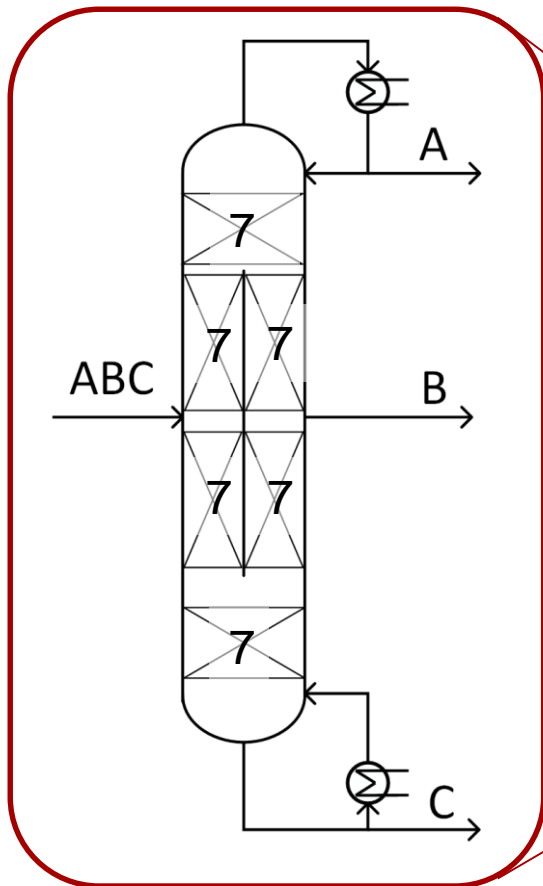
- Flexibility range depends on total stage number

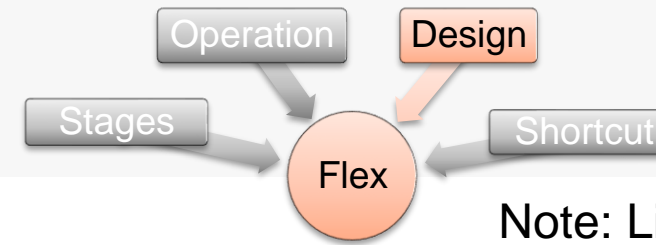
Optimization

Screening



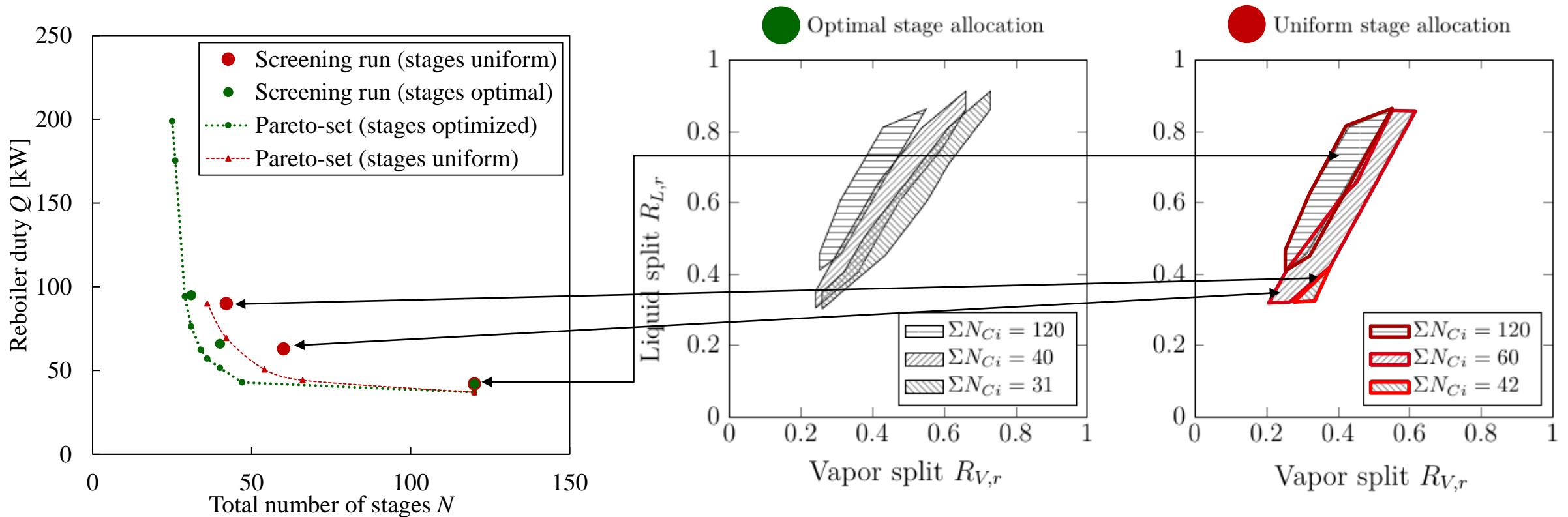
Impact of non-optimal stage design on energy demand





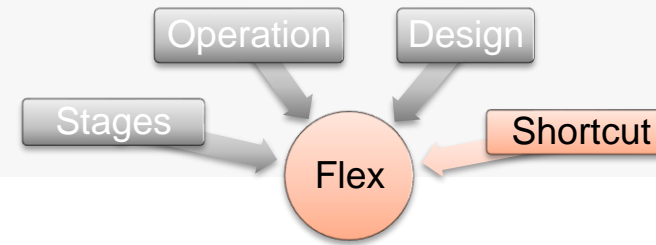
Impact of non-optimal stage design on flexibility at $Q = 1.2 Q_{min}$

Note: Liquid split ratio limited due to liquid side draw

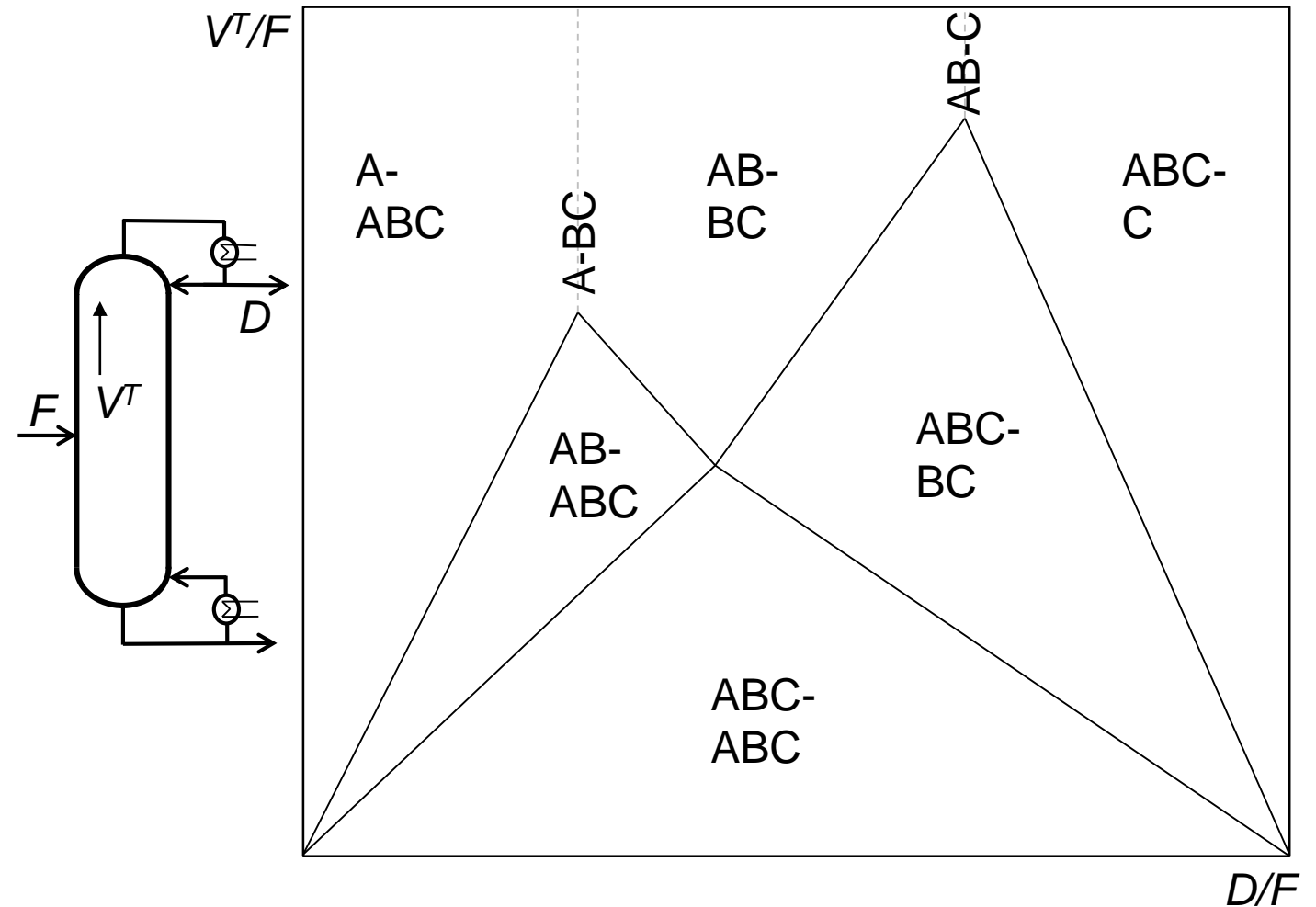


- Significant reduction of flexibility range towards lower stage number for non-optimal design

V_{min} diagram

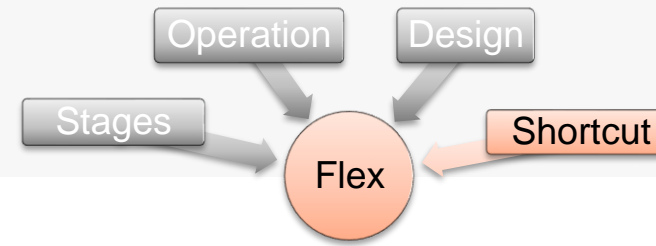
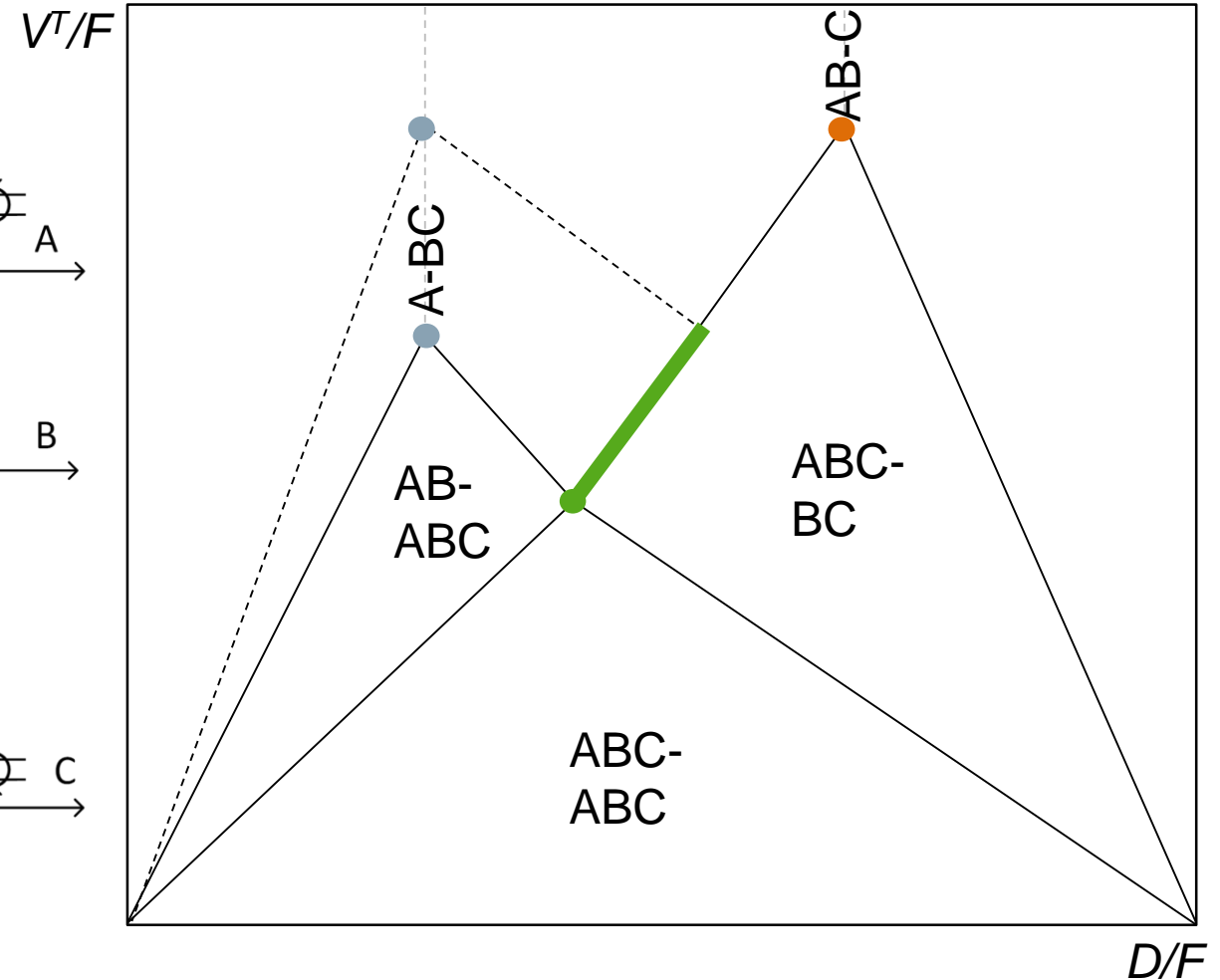
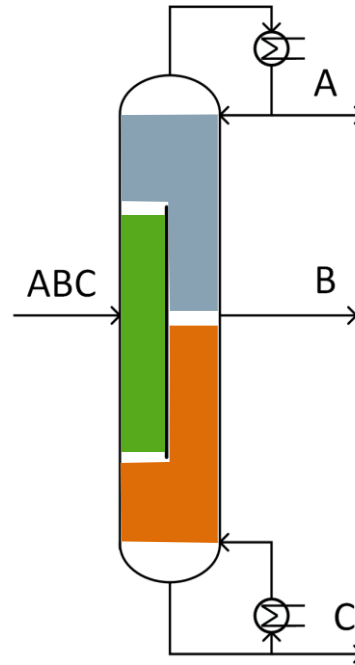


- Visualization of minimum energy demand for separation of given feed stream
- Assumptions for shortcut calculation
 - Infinite stage numbers
 - Constant molar flows
 - Constant relative volatilities
- Directly applies for dividing wall columns (optimal operation)



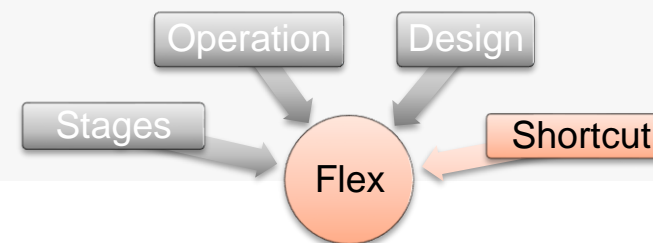
V_{min} diagrams for dividing wall columns

- Highest peak \rightarrow Total energy demand of the column
- Mass balance: Vapor provided at bottom will arrive at top
- Operational flexibility for the prefractionator
- Different liquid and vapor split ratios feasible



Estimation of flexibility range

Note: for sharp separations



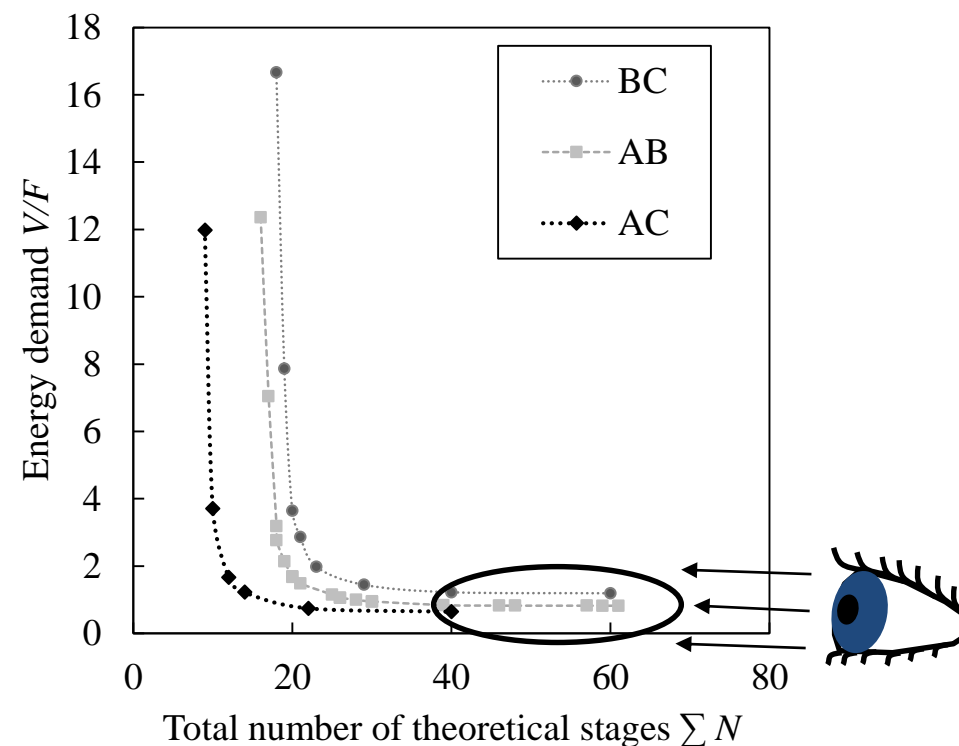
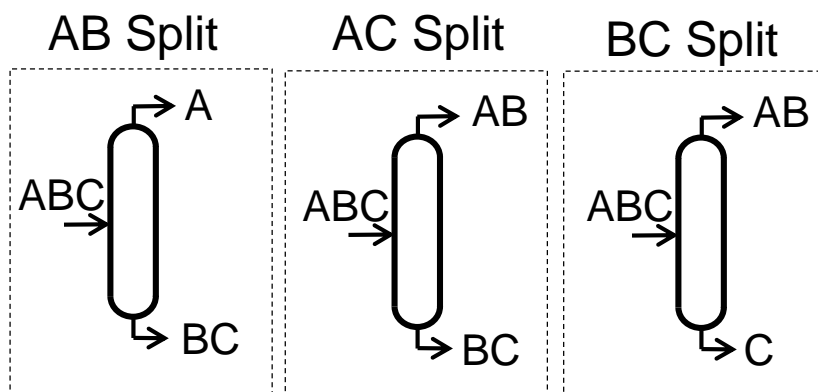
Extension of V_{min} diagram by the dimension

$$n_i = \frac{N_i}{N_{min,i}}$$

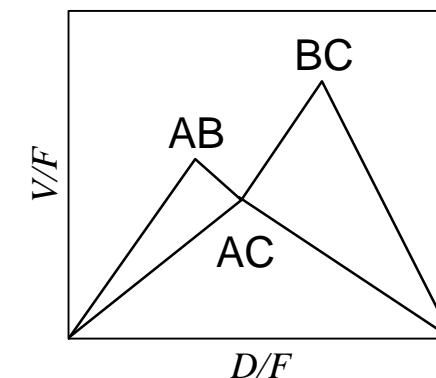
- Bi-objective optimization of sharp separations (99.9 mol%)

$$\min \left(\Sigma N, \frac{V}{F} \right)$$

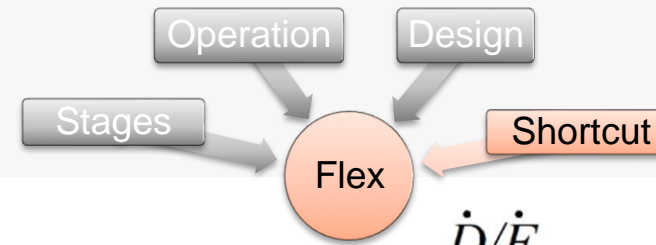
- Ternary example:



Note: This is another mixture: Benzene, Toluene p-Xylene, equimolar, liquid boiling



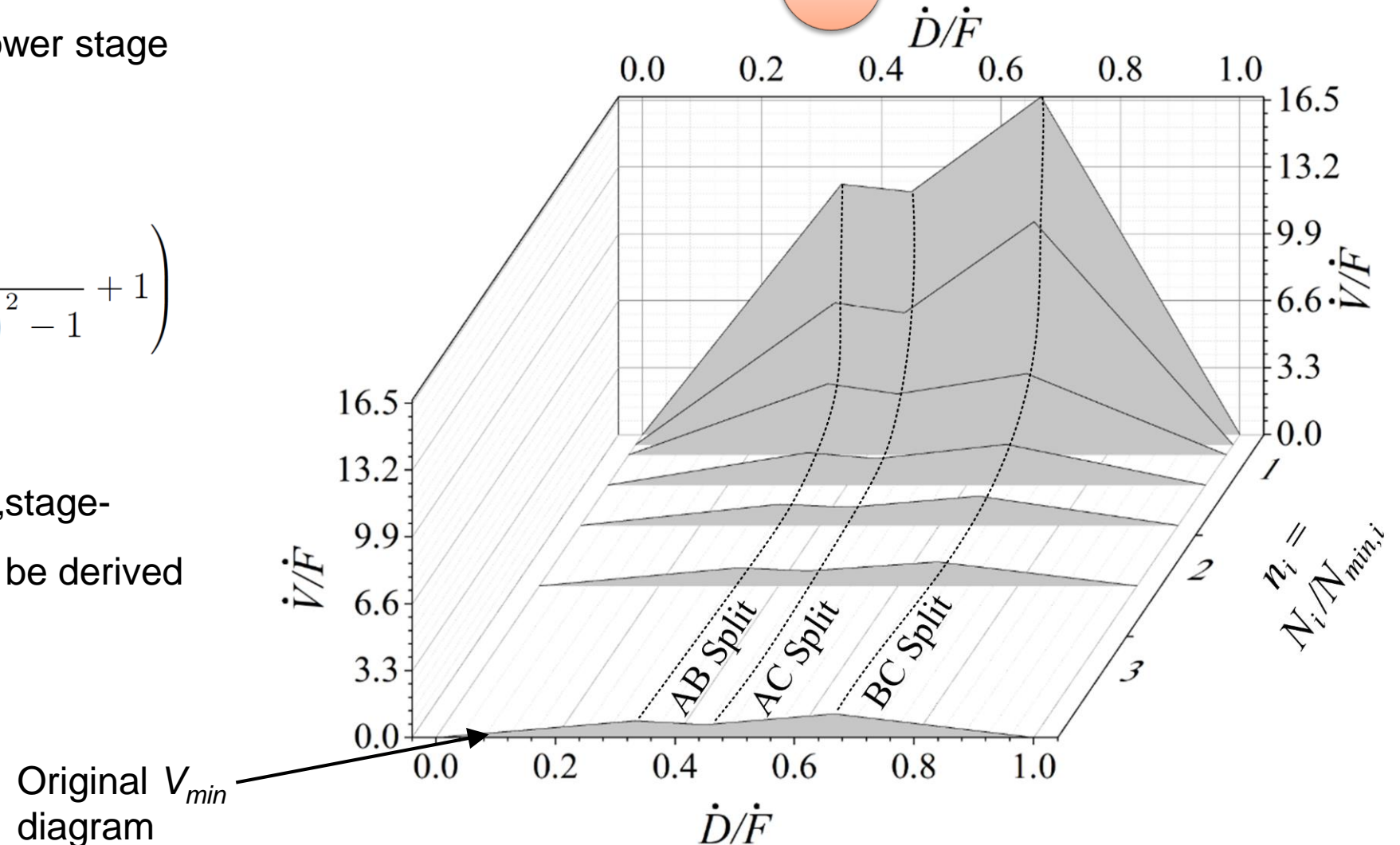
Extended V_{min} diagram



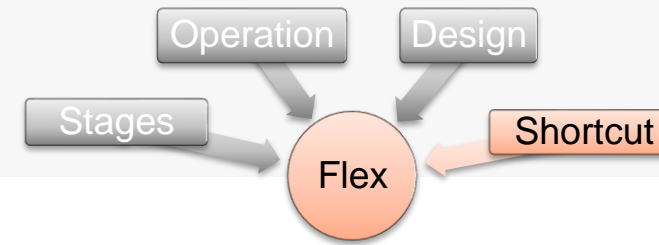
- Development of V/F with lower stage numbers

$$\frac{\dot{V}_i}{\dot{F}} = \frac{\dot{V}_{min,i}}{\dot{F}} \cdot \left(\frac{0.27}{\left(\frac{N_i}{0.97 \cdot N_{min,i}} \right)^2 - 1} + 1 \right)$$

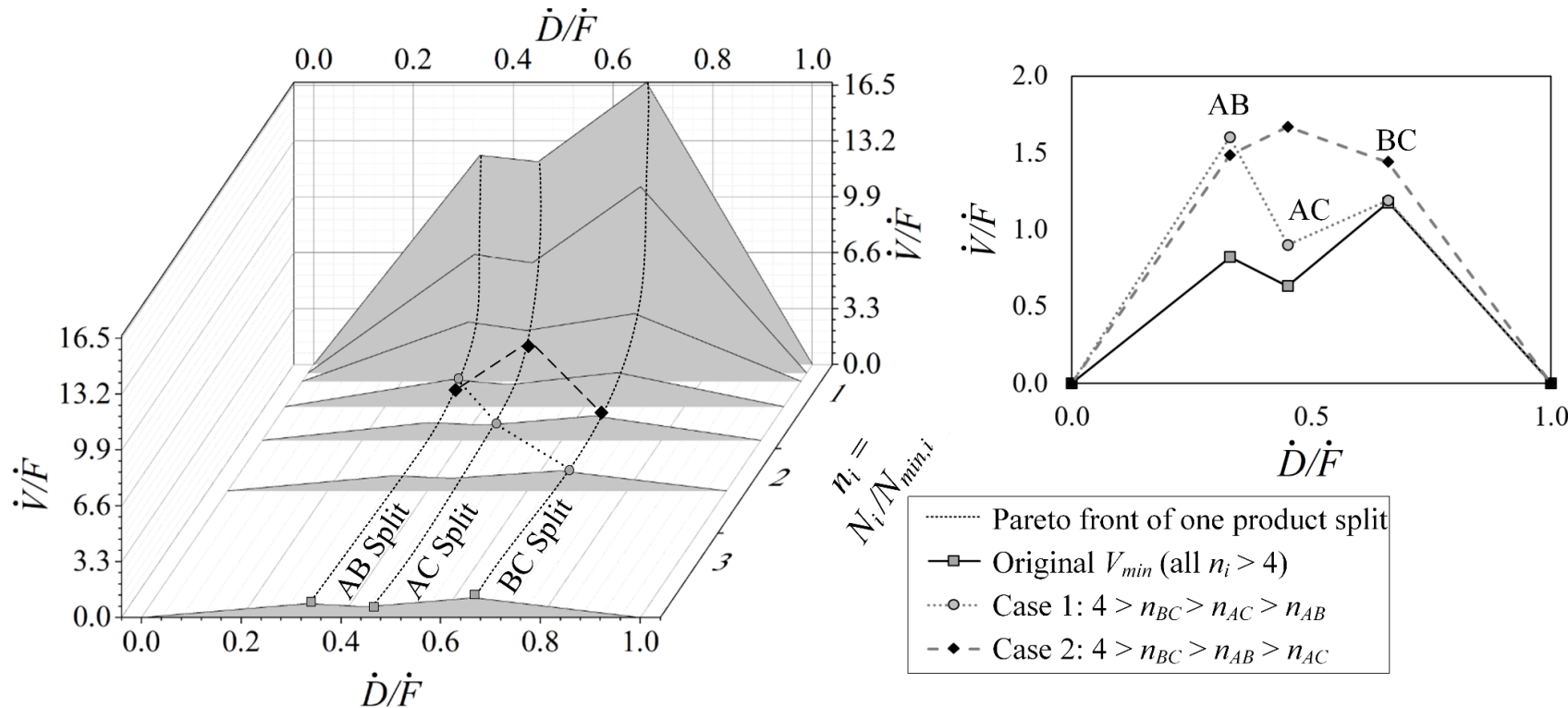
- For given stage number a „stage-adapted“ V_{min} diagram can be derived



Extended V_{min} diagram



Example for stage-adapted V_{min} diagram

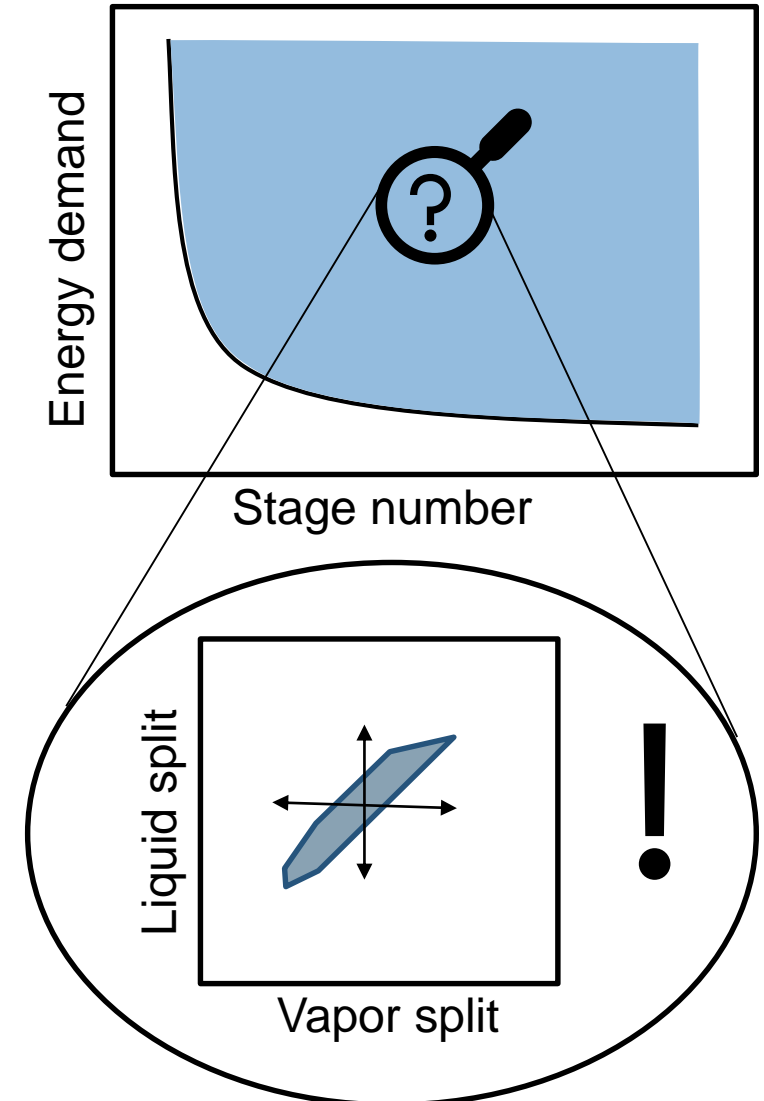


Remember: Flexibility for prefractionator (AC) results from height difference between AB and BC peak

- With non-optimal stage allocation, not only the energy demand might increase but also the flexibility range may widen or shrink and shift

Summary

- Operational flexibility of liquid and vapor split ratios at finite stage numbers
- Flexibility range and location depends on stage number, allocation and distance to related energetic optimum
- Estimation of range possible based on stage-adapted V_{min} diagram



Related work

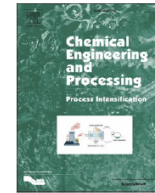


ELSEVIER

Contents lists available at [ScienceDirect](https://www.sciencedirect.com)

Chemical Engineering and Processing - Process Intensification

journal homepage: www.elsevier.com/locate/cep



Vapor and liquid split flexibility in dividing wall columns in relation to the theoretical stage allocation

Lena-Marie Ränger^{a,*}, Lea Trescher^a, Martin von Kurnatowski^b, Michael Bortz^b,
Thomas Grützner^a

^a *Ulm University, Institute of Chemical Engineering, Laboratory of Thermal Process Engineering, Ulm, Germany*

^b *Fraunhofer Institute of Industrial Mathematics (ITWM), Kaiserslautern, Germany*



ulm university universität
uulm

Multi-Objective Optimization of Simple and Multiple Dividing Wall Columns and their Operational Flexibility Close to the Optimum

DISSERTATION

Chemical Engineering
Technology

Research Article

1919

Lena-Marie Ränger
Thomas Grützner*

Shortcut Method for Initialization of Dividing-Wall Columns and Estimating Pareto-Optimal NQ -Curves

In early project stages, often no simulation results are available for dividing-wall columns. Hence, shortcut methods are used to estimate suitable vapor and liquid splits. In a previous paper, it was demonstrated that \dot{V}_{\min} diagrams are a suited tool to satisfy this need. However, it has turned out that it shows weaknesses for columns with finite or non-optimal stages. This contribution closes that gap and presents an extended approach to derive suited initial guesses. For this purpose, the original \dot{V}_{\min} diagram is combined with a heuristic approach to calculate Pareto-optimal column designs resulting in a stage-adapted \dot{V}_{\min} diagram. A comparative study illustrates that the new approach is a powerful tool to generate reliable guesses for multiple dividing-wall column simulations with finite stage numbers.



This is an open access article under the terms of the Creative Commons Attribution-NonCommercial-NoDerivs License, which permits use and distribution in any medium, provided the original work is properly cited, the use is non-commercial and no modifications or adaptations are made.

Keywords: Dividing-wall columns, Pareto-optimal column design, Shortcut methods, Vapor-liquid split, \dot{V}_{\min} diagram

Received: June 01, 2021; *revised:* August 05, 2021; *accepted:* August 17, 2021

DOI: 10.1002/ceat.202100256

Thank you for your attention

