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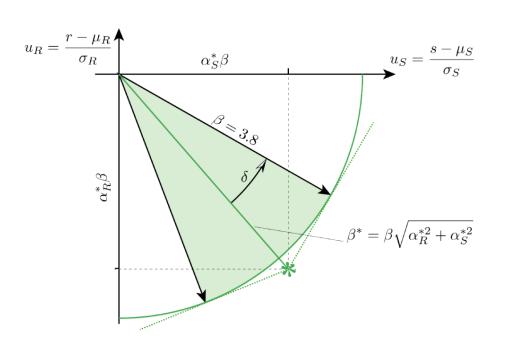
Potential and Challenges of the Design Value Approach

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Design Value Format method

- Can be used to estimate partial safety factors (γ_X) based on FORM sensitivity factors (α_X) , target reliability (β) and assumed probabilistic representation for a variable (distribution, parameters).
- Apparently separates partial factor estimation.
- FORM sensitivity factors (α_X) are <u>always dependent</u> on the complete reliability problem.
- Pragmatic solution: Standardized FORM sensitivity factors (α_X).

Standardized α -values



- Idea: identify a set of α-values that <u>satisfies the reliability</u> <u>requirement for a range of</u> <u>practical cases</u>
- For the simple R-S problem and $\alpha_S=0.7$ and $\alpha_R=-0.8$, this range is indicated in green.
- Problems:
 - The range is not very wide.
 - The principle works only if the standardized α-values are applied on both sides.

Indicative Example

Limit state equation:

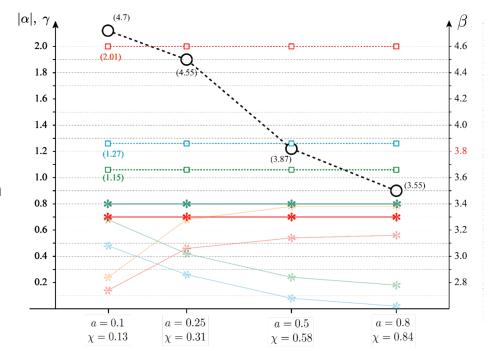
$$H(R, G, Q, X_Q) = zR_i - (1 - a)G - aX_QQ$$

- R_i material strength
- z design parameter
- G permanent load
- Q variable load
- a parameter related to ratioof variable load to totalload

	Dist.	μ	V
Material 1	LN	1	0.1
Permanent	N	1	0.1
Variable (50a-max)	G	1	0.15
Model Uncertainty	LN	1	0.3

Indicative Example

- Simultaneous application of the standardised α -values
- Results in a <u>unique</u> set of partial factors
- But a <u>large range</u> of resulting reliabilities (50y reference).
- For a = 0.8 (large contribution of variable load) the requirement is not fulfilled.



 $\star \alpha_{X_Q}, \alpha_Q, \alpha_G$

 \cdots O eta_{50a}

 γ_Q

 γ_G

······ γ_R

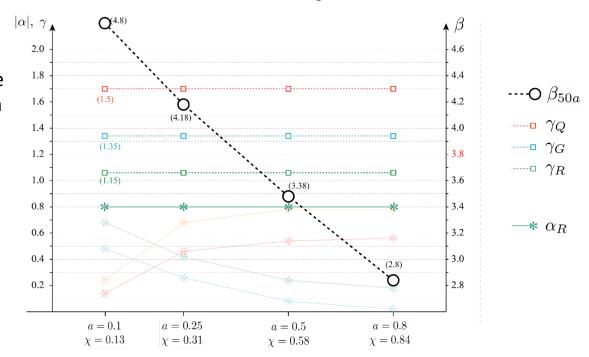
 $-* \alpha_R$

Indicative Example

- If the method is only <u>used for</u> <u>one variable</u> (e.g. resistance)
- ...and the partial factors of the other variable are <u>fixed</u> (taken from the design code):

$$\gamma_G = 1.35$$
 and $\gamma_Q = 1.5$

- The range of achieved reliabilities becomes very large
- ... and partly far too low!!



Intermediate Summary

- The application of the generalized α -value on single <u>variables in isolation is not effective</u> and the obtained safety levels are partly not acceptable.
 - α -value should be used simultaneously for both loads and resistances.
- The situation is worse for material variables with low variability.
- An alternative to the Design Value Method to be considered.

For the assessment of existing structures the <u>variability</u> between assessment situations is larger than for the design situation.

- The variability of the resistance variable is typically large (also due to statistical uncertainty / small sample size)
- The above observations become even more relevant.
- As the need for alternative more accurate methods.

Proposed Solution

Design partial factors:

- Partial factors <u>for generic variables</u> are suggested based on <u>reliability-based</u> calibration.
- The generic variables for resistance are characterized by distribution type, location and shape parameters.
- The calibration is <u>based on typical load</u> conditions.

<u>Assessment partial factors:</u>

- Partial factors for generic new data sets are suggested based on reliability-based calibration.
- The data sets are characterized by the <u>sample</u> statistics (n, m, s), the assessment partial factor is based on n and $\frac{s}{m}$.
- Assessment partial factor is multiplied with the characteristic value of the data set (EN1990 Annex D) in order to obtain the assessment value.
- The calibration is based on <u>typical load</u> <u>conditions</u>. Load conditions might be <u>classified</u> in order to increase the information level for the assessment.

Possible Implementation

Partial factors for design (values to be agreed on)

	$cov_R = 0.1$	$cov_R = 0.15$	$cov_R = 0.2$	$cov_R = 0.25$
Partial factors γ_R				

Possible Implementation

Partial factors for Assessment (values to be agreed on)

n	$\frac{s}{m}=0.05$	$\frac{s}{m}=0.1$	$\frac{s}{m}=0.15$	$\frac{s}{m}=0.2$	$\frac{s}{m}=0.25$	$\frac{s}{m}=0.3$
3						
5						
7						
10						
15						
25						
50						
100						

Conclusions

- The application of <u>standardized alpha values</u> in design and reassessment should be <u>reconsidered carefully</u>.
 - in some applications the standardized alpha-values result in partial factors that imply too low reliability.
 - in other applications the alpha-values result in too safe and uneconomic structures
 - if the Design Value Format method is used to estimate partial factors for resistance variables then the method also shall be used for load variables and visa versa
 - the Design Value Format method is <u>difficult to apply</u> for climatic loads modelled by a product of time-dependent and time-independent stochastic variables
- Alternative methods should be discussed and agreed on.
- The present concept is seen as a constructive contribution to the required discussion.

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