## **Optimal Operation of a CO<sub>2</sub> Capturing Plant for a Wide Range of Disturbances**

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## Skogestad plantwide control procedure\*

## I Top Down

- Step 1: Identify degrees of freedom (MVs)
- Step 2: Define operational objectives (optimal operation)
  - Cost function J (to be minimized)
  - Operational constraints
- Step 3: Select primary controlled variables CV1s (Self-optimizing)
- Step 4: Where set the production rate? (Inventory control)

## II Bottom Up

- Step 5: Regulatory / stabilizing control (PID layer)
  - What more to control (CV2s; local CVs)?
  - Pairing of inputs and outputs
- Step 6: Supervisory control (MPC layer)
- Step 7: Real-time optimization





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\*Skogestad, S., 2004, Control Structure Design for Complete Chemical Plants, Computers and Chemical Engineering, 28, 219-234

## **Optimal operation**

Mode I: maximize efficiency Mode II: maximize throughput

**Self-optimizing control** is when we can achieve acceptable loss with constant setpoint values for the controlled variables without the need to reoptimize the plant when disturbances occur



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### Selection of CVs: Self-optimizing control procedure

Step 1: Define an objective function and constraints

- Step 2: Degrees of freedom (DOFs)
- Step 3: Disturbances
- Step 4: Optimization (nominally and with disturbances)
- Step 5: Identification of controlled variables (CVs) for unconstrained DOFs
- Step 6: Evaluation of loss



### Economically optimal operation of CO<sub>2</sub> capturing



#### Steps 5&6. Exact Local method: The candidate CV set that

imposes the minimum worst case loss to the objective function



#### **Exact local method\* for selection of the best CVs**

Exact local method gives the maximum loss imposed by each candidate CV set

The set with the minimum worst-case loss is the best

max. Loss=
$$\frac{1}{2}\overline{\sigma}(M)^2$$
  
M= $J_{uu}^{1/2}G^{y^{-1}}(FW_d W_n)$   
F= $G^y J_{uu}^{-1} J_{ud} - G_d^y$ 

F is optimal sensitivity of the measurements with respect to disturbances;  $F = \frac{\Delta y^{opt.}}{\Delta d}$ 



#### Exact local method for selection of the best CVs

#### **39 candidate CVs**

- 15 possible tray temperature in the absorber
- 20 possible tray temperature in the stripper
- CO<sub>2</sub> recovery in the absorber and CO<sub>2</sub> content at the bottom of the stripper
- Recycle amine flowrate and reboiler duty

# Applying a bidirectional branch and bound algorithm<sup>\*</sup> for finding the best CVs

The best self-optimizing CV set in region I:  $CO_2$  recovery (95.26%) and temperature of tray no. 16 in the stripper

#### These CVs are not necessarily the best when new constraints meet

\* V. Kariwala and Y. Cao. Bidirectional Branch and Bound for Controlled Variable Selection, Part II: Exact Local Method for Self-Optimizing Control, Computers & Chemical Engineering, 33(2009), 1402-1412.



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### **Optimal operational regions as function of feedrate**

Region I. Nominal feedrate
Region II. Feedrate >+20%: Max. Heat constraint
Region III. Feedrate >+51%: Min. CO<sub>2</sub> recovery constraint



#### Proposed control structure with given flue gas flowrate (region I)



#### Region II: in presence of large flowrates of flue gas (+30%)

	FlowrateofPumpsflue gasduty		Self-optimizing CVs in region I		Cooler Duty	Reboiler duty	Objective function
	(kmol/hr)	(KW)	CO <sub>2</sub> recovery %	Temperature of tray no. 16 °C	(KW)	(KW)	(USD/ton)
Optimal nominal point	219.3	3.85	95.26	106.9	321.90	1161	2.49
+5% feedrate	230.3	4.24	95.26	106.9	347.3	1222	2.49
+10% feedrate	241.2	4.22	95.26	106.9	371.0	1279	2.49
+15% feedrate	252.2	4.64	95.26	106.9	473.3	1339	2.49
+19.38% feedrate, reboiler duty saturates	261.8	4.56 (+18.44%)	95.26	106.9	419.4 (+30.29%)	1393 (+20%)	2.50
+30% feedrate (reoptimized)	285.1	4.61	91.60	103.3	359.3	1393	2.65

Saturation of reboiler duty (new operations region, region II); one unconstrained degree of freedom left

Maximum gain rule for finding the best CV: 37 candidates

Temp. of tray no. 13 in the stripper: the largest scaled gain



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#### **Proposed control structure with given flue gas flowrate (region I)**



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**Proposed control structure with given flue gas flowrate (region II)** 

<b>Region III: reaching</b>	the minimum	allowable	CO <sub>2</sub> recovery
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	Flowrate of flue gas (kmol/hr)	Pumps Duty (kW)	CO <sub>2</sub> recovery %	Self-optimizing CV in region II	Cooler Duty (kW)	Reboiler Duty (kW)	Objective function (USD/ton)	
	(KIIIOI/III)			Temperature of tray 13 °C				
Optimal nominal case in +30% feedrate	285.1	4.61	91.60	109	359.3	1393	2.65	
+40% feedrate	307.02	4.58	86.46	109	315.5	1393	2.97	
+50% feedrate	328.95	4.55	81.31	109	290.3	1393	3.31	
+52.78% feedrate, reach to minimum CO <sub>2</sub> recovery	335.1	4.54	80	109	284.6	1393	3.39	

A controller needed to set the flue gas flowrate



#### **Design of the control layers**

Regulatory layer: Control of secondary (stabilizing) CVs (CV2s), PID loops

- Absorber bottom level,
- Stripper (distillation column) temperature,
- Stripper bottom level,
- Stripper top level,
- Stripper pressure,
- Recycle surge tank: inventories of water and amine,
- Absorber liquid feed temperature.

# **Supervisory (economic) control layer:** Control of the primary (economic) CVs (CV1s), MPC

- CO<sub>2</sub> recovery in the absorber,
- Temperature at tray 16 in the stripper,
- Condenser temperature.



#### **RGA** analysis for selection of pairings



#### 2. Steady-State RGA

$$G_{ss} = 10^{-2} \times \begin{bmatrix} -0.5232 & 1.48 \\ -8.47 & 5.17 \end{bmatrix}$$
$$RGA_{ss} = \begin{bmatrix} -0.27 & +1.27 \\ +1.27 & -0.27 \end{bmatrix}$$



#### "Break through" of CO<sub>2</sub> at the top of the absorber (UniSim simulation)





Proposed control structure with given flue gas flowrate, Alternative 1

#### Proposed control structure with given flue gas flowrate, Alternative 2 (reverse pairing)





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#### Proposed control structure with given flue gas flowrate, Alternative 2



#### **Modified Alternative 2 = Alternative 4**



#### Control of self-optimizing CVs using a multivariable controller









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#### Performance of the proposed control structure, MPC



#### Conclusions

- Alternative 1 is optimal in region I, but fails in region II
- Alternative 2 handles regions I (optimal) and II (close to optimal), but more interactions in region I compare to Alternative 1. No need for switching
- Alternative 3 is optimal in region II. Need for switching
- Alternative 4 is modified Alternative 2 ,results in less interactions. No need for switching
- MPC, similar performance to Alternatives 2 & 4

#### Alternative 4 is recommended for implementation in practice



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# Thank you for your attention



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